

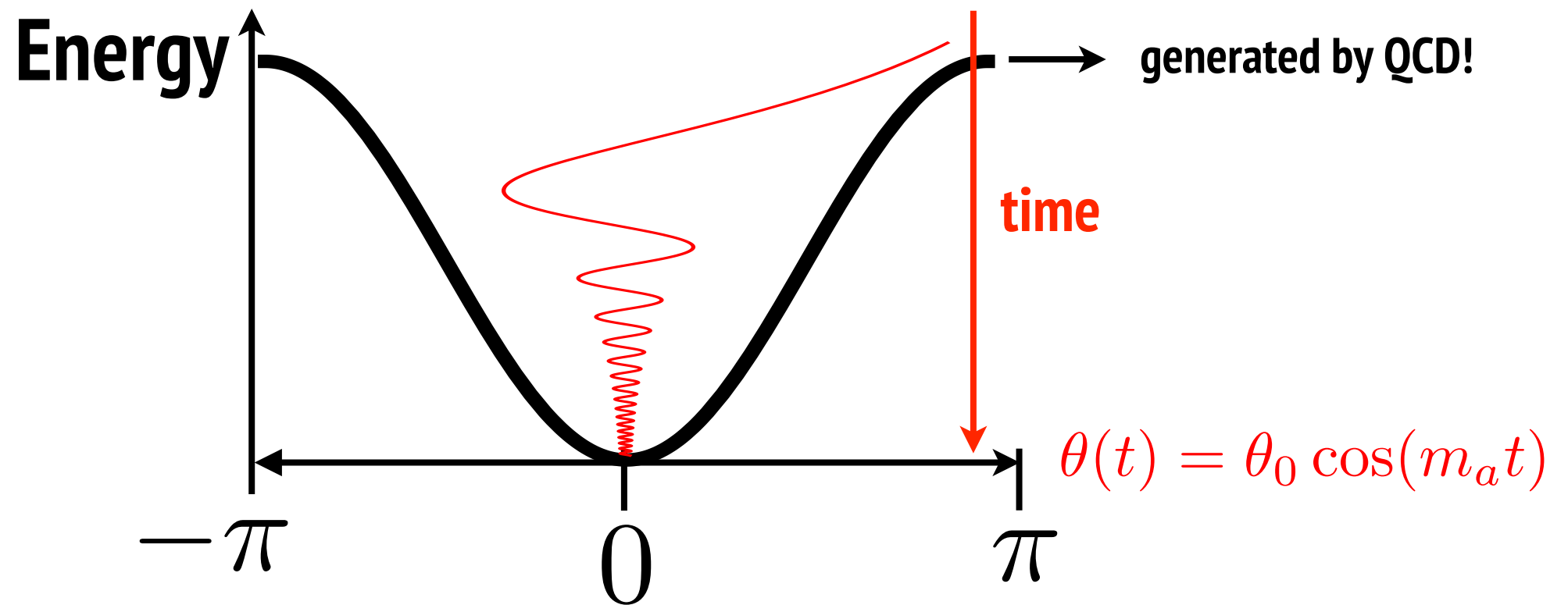
Axion dark matter scenarios, parameters, uncertainties ...

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Ramón y Cajal fellow
Universidad de Zaragoza (Spain)



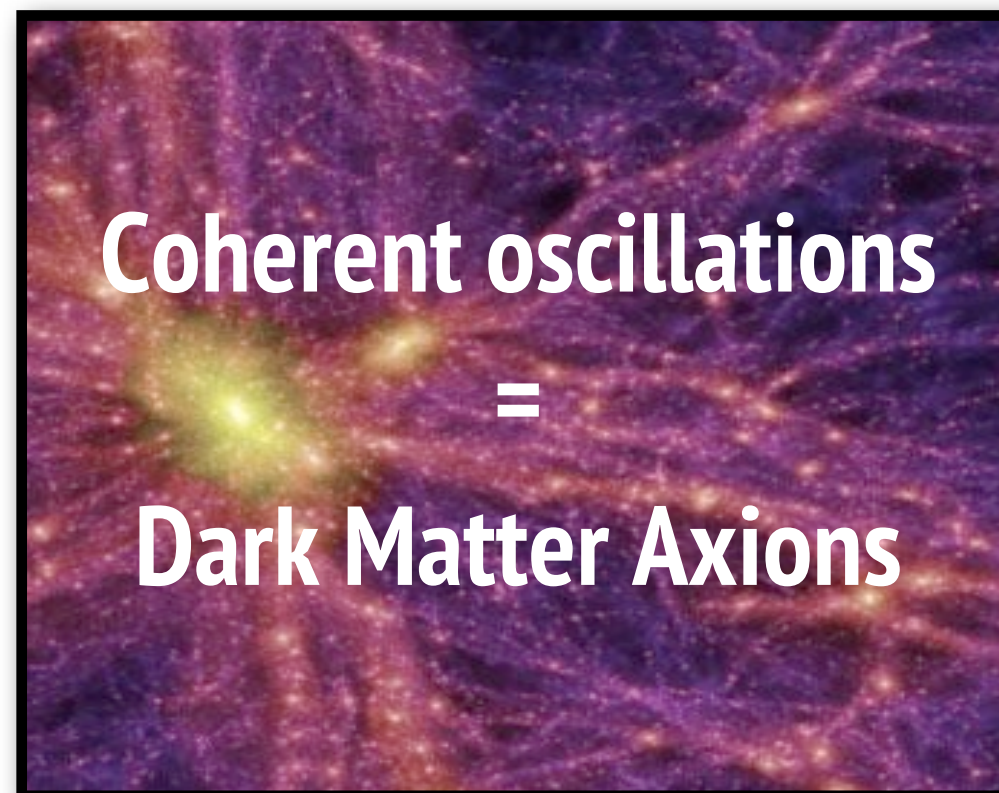
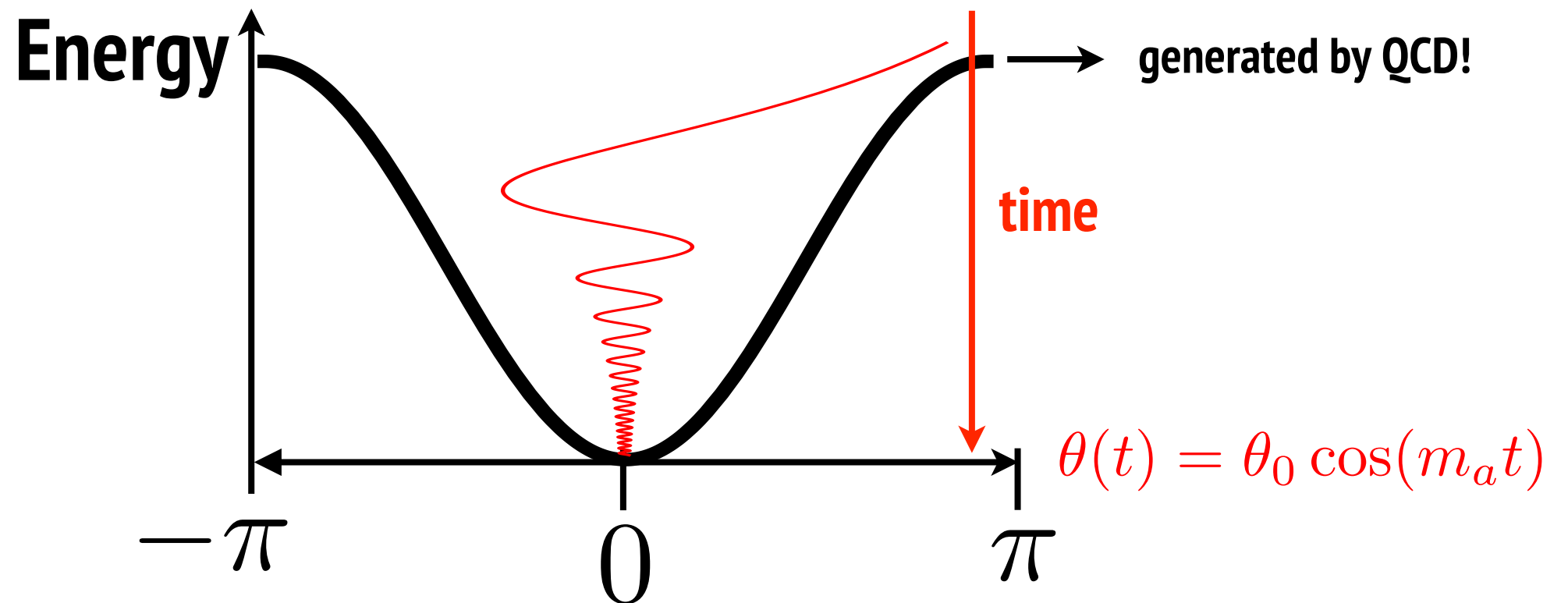
Dark matter

- $\theta(t, \mathbf{x})$ relaxes to its minimum, overshoots and oscillates



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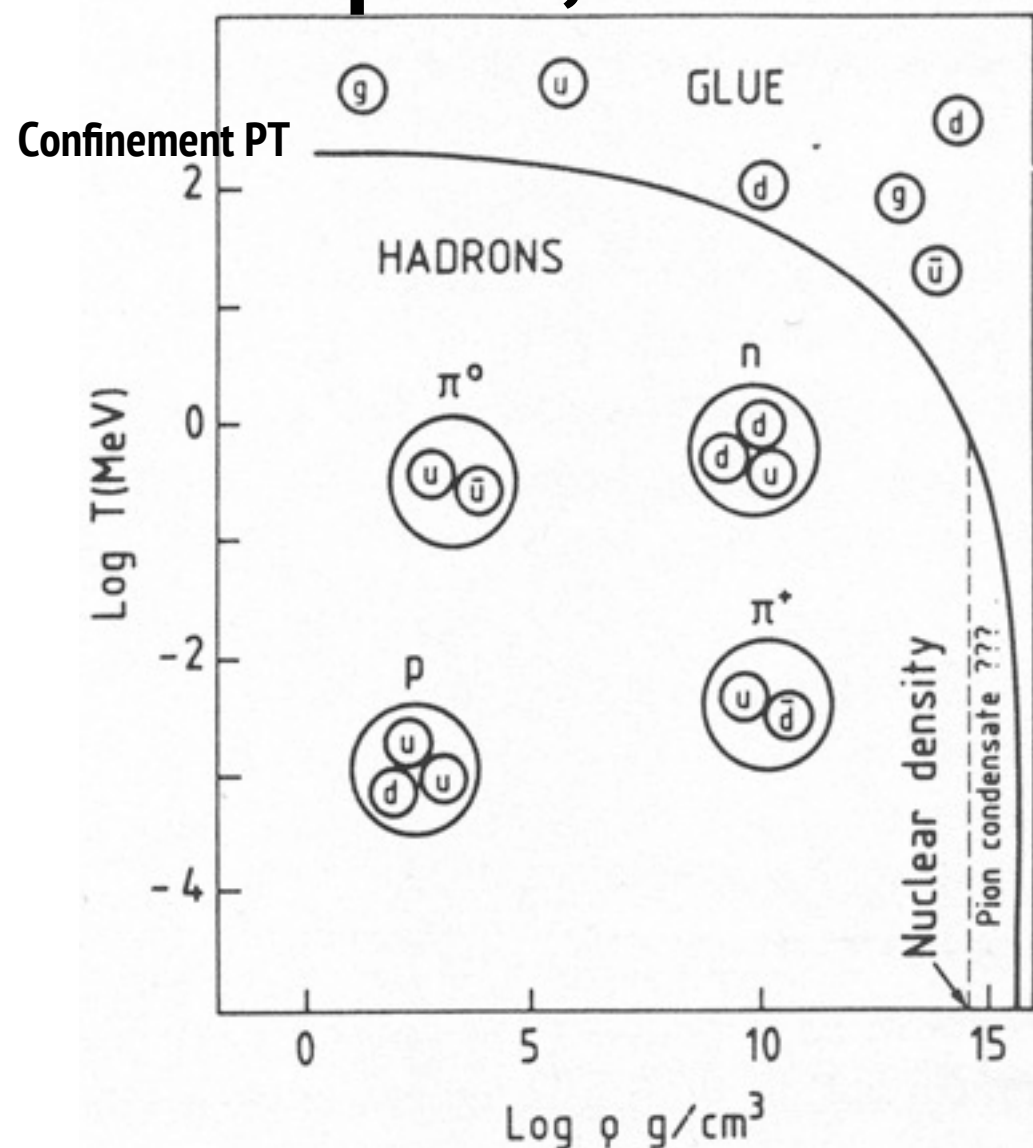


Dark matter

- Non thermal DM production mechanism
- DM abundance depends on initial conditions

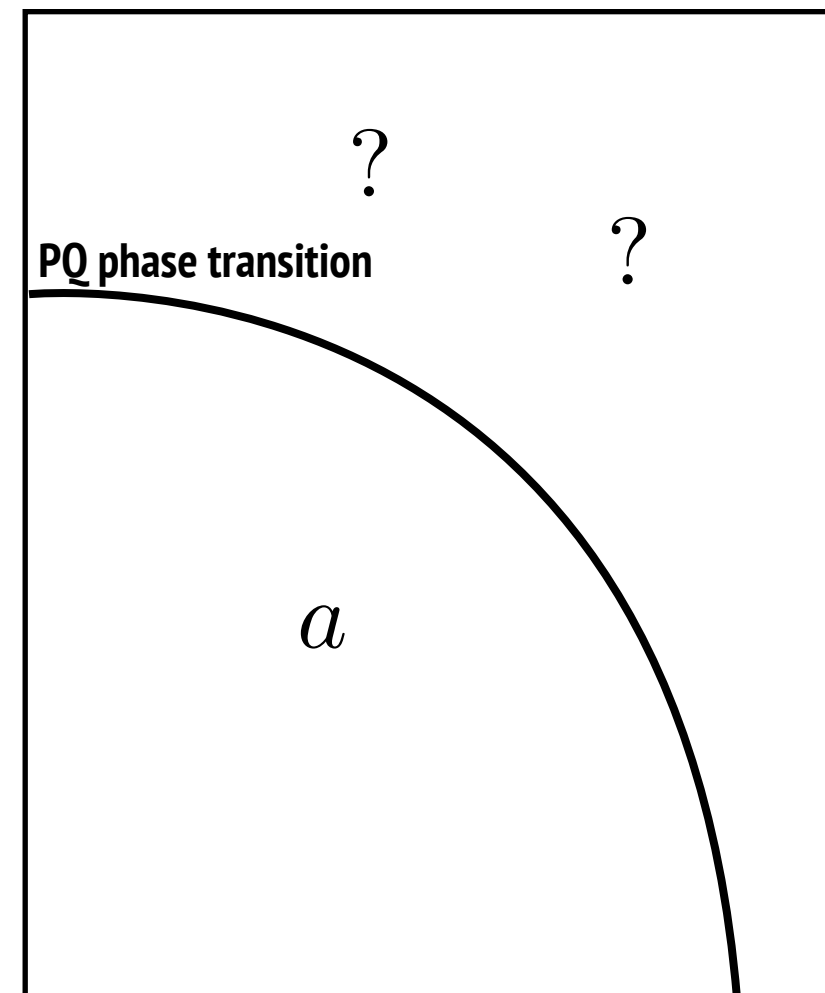
when were axions born?

pions, hadrons



axions

$$T \sim f_a$$



Dark matter

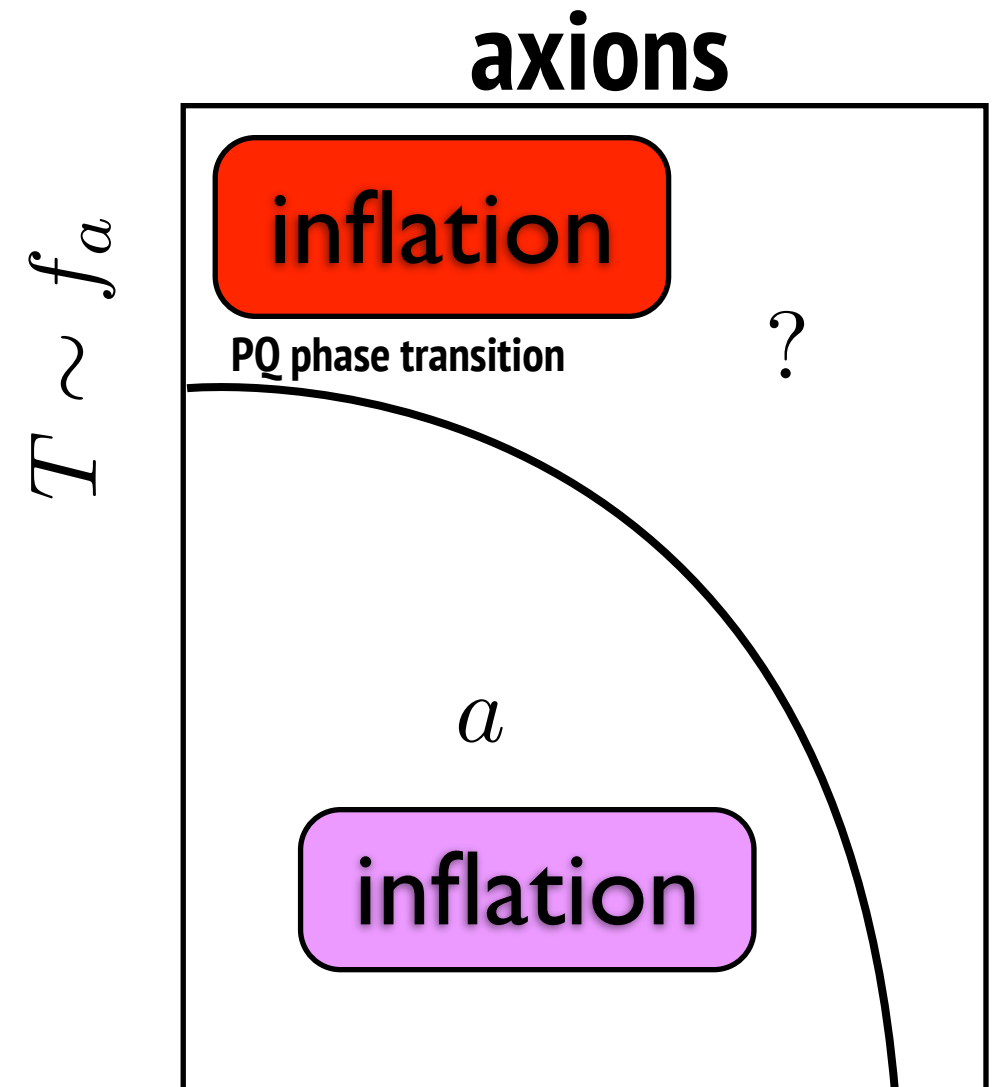
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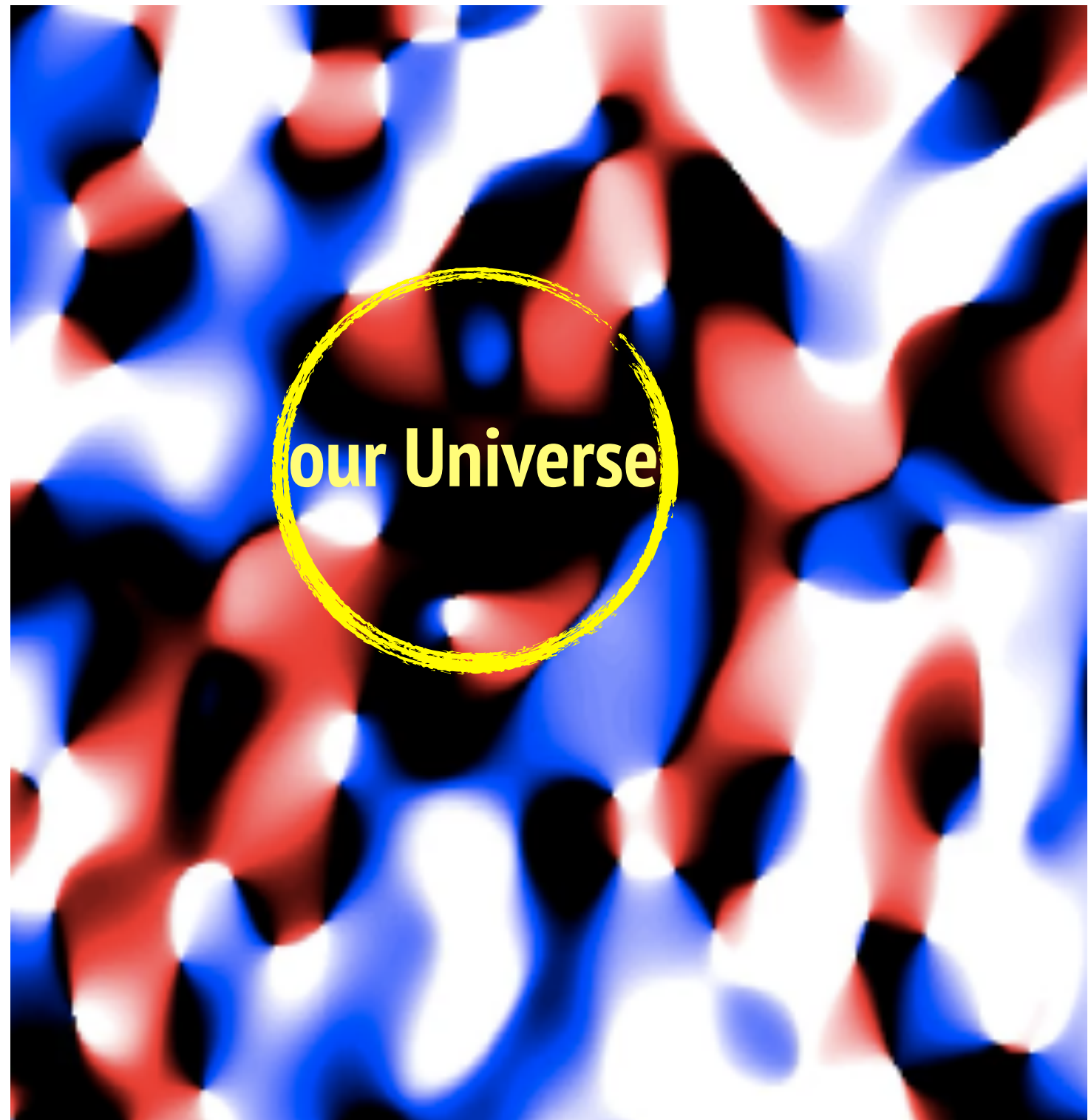
when were axions born?

- Two basic scenarios

scenario A: inflation happens **AFTER**
PQ phase transition

scenario B: inflation happens **BEFORE**
PQ phase transition



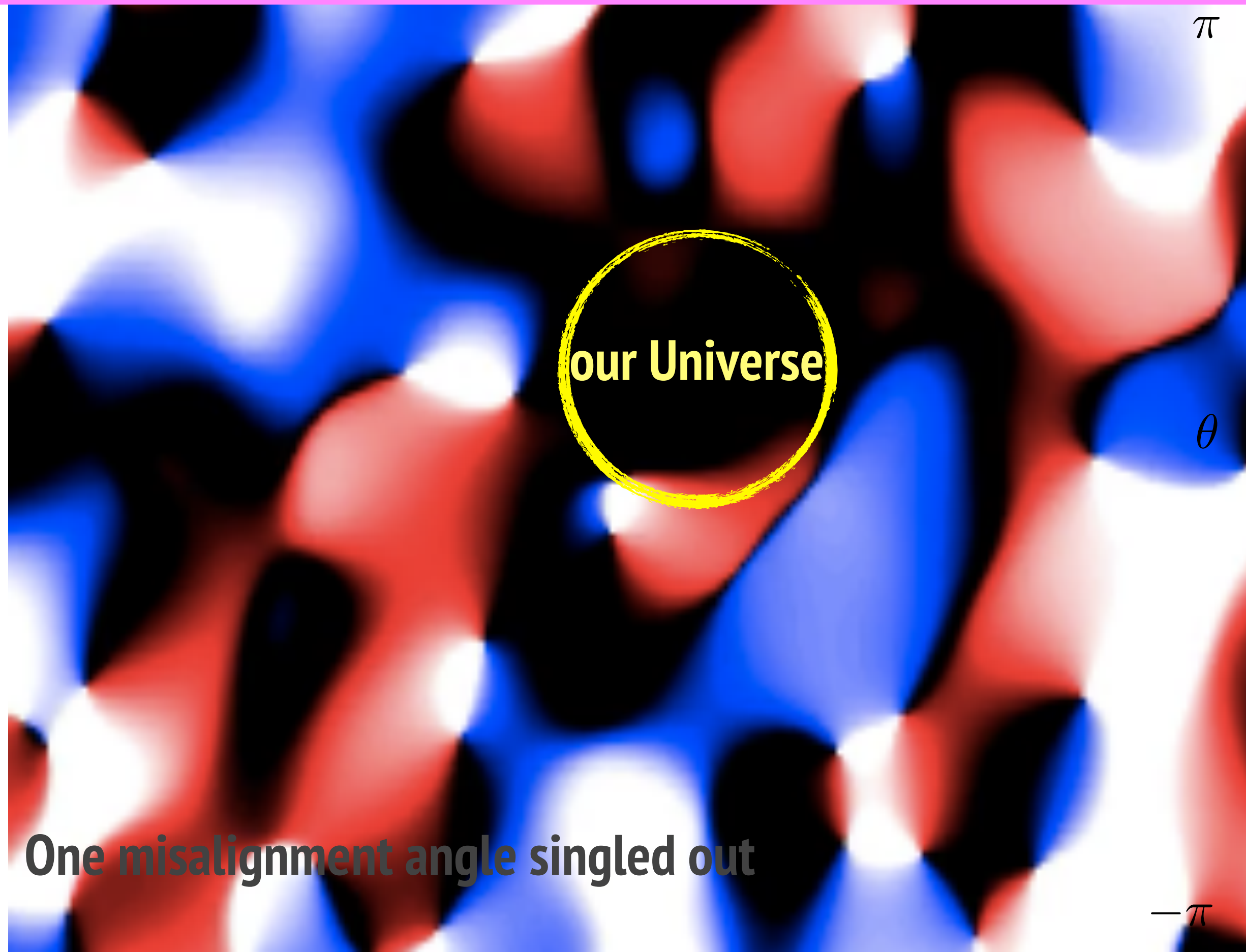


One misalignment angle singled out

π

θ

$-\pi$



One misalignment angle singled out

- Homogeneous initial condition

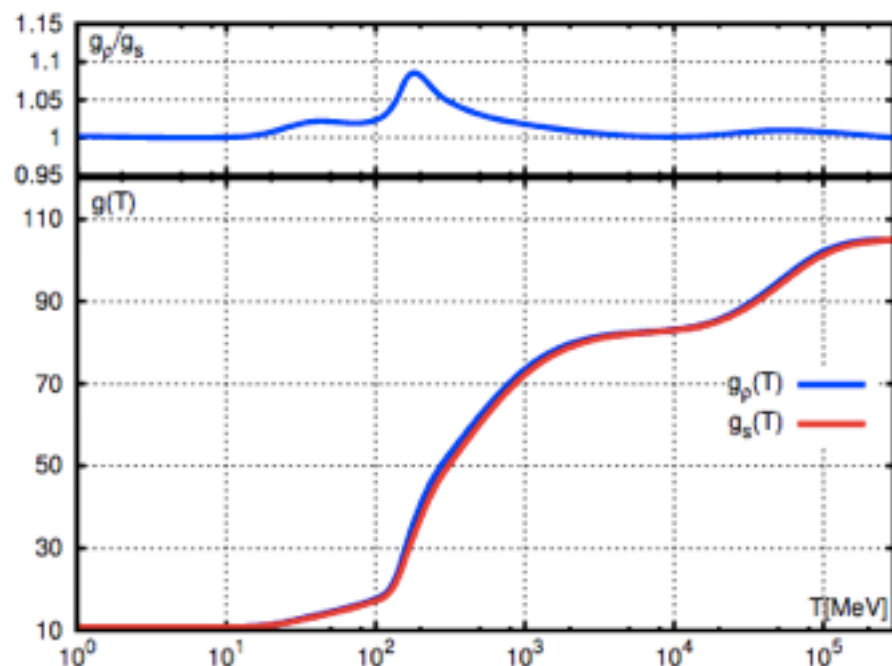
$$\theta(t_0, x) = \theta_I$$

- Equations of motion

$$\ddot{\theta} + 3H\dot{\theta} + m_a^2(T) \sin \theta = 0$$

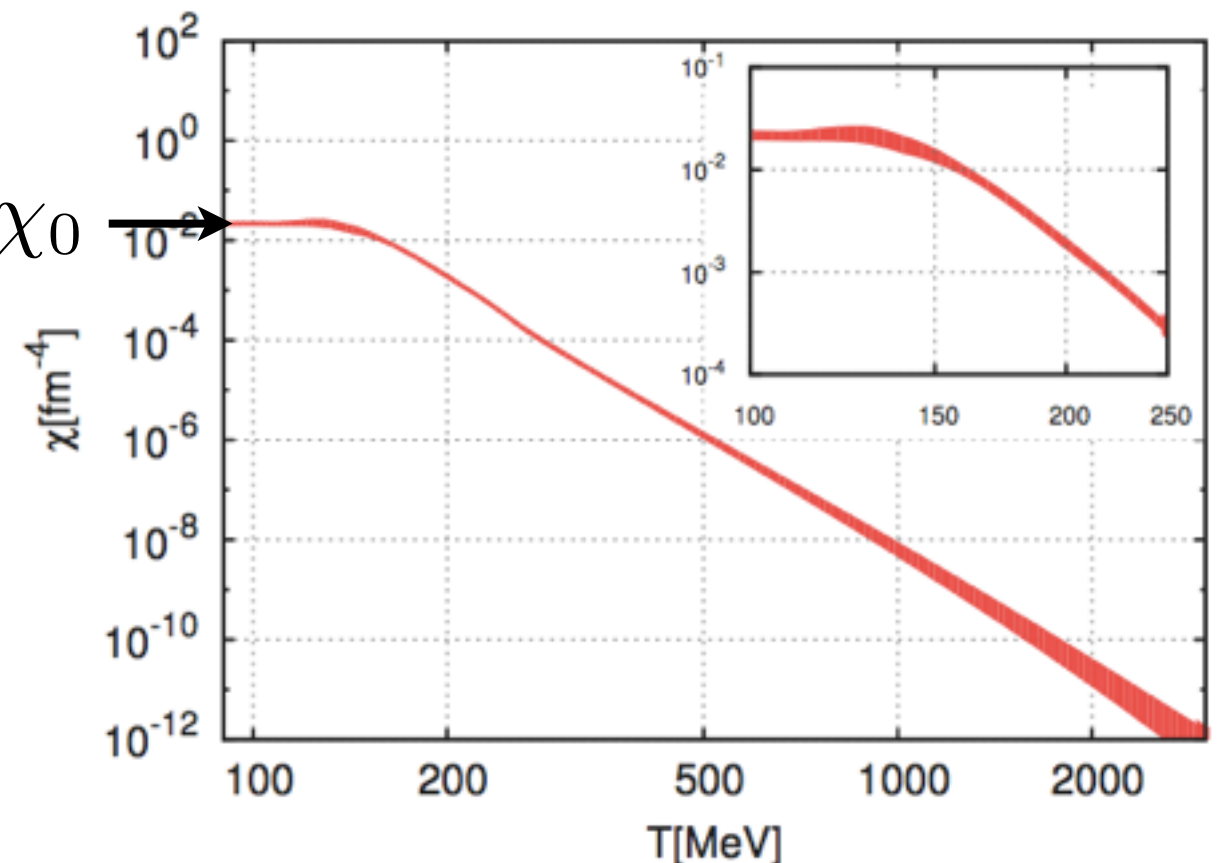
Universe Expansion rate

QCD $m_a^2 f_a^2 = \chi$



SM model only plasma $H \propto \sqrt{g(T)} T^2$

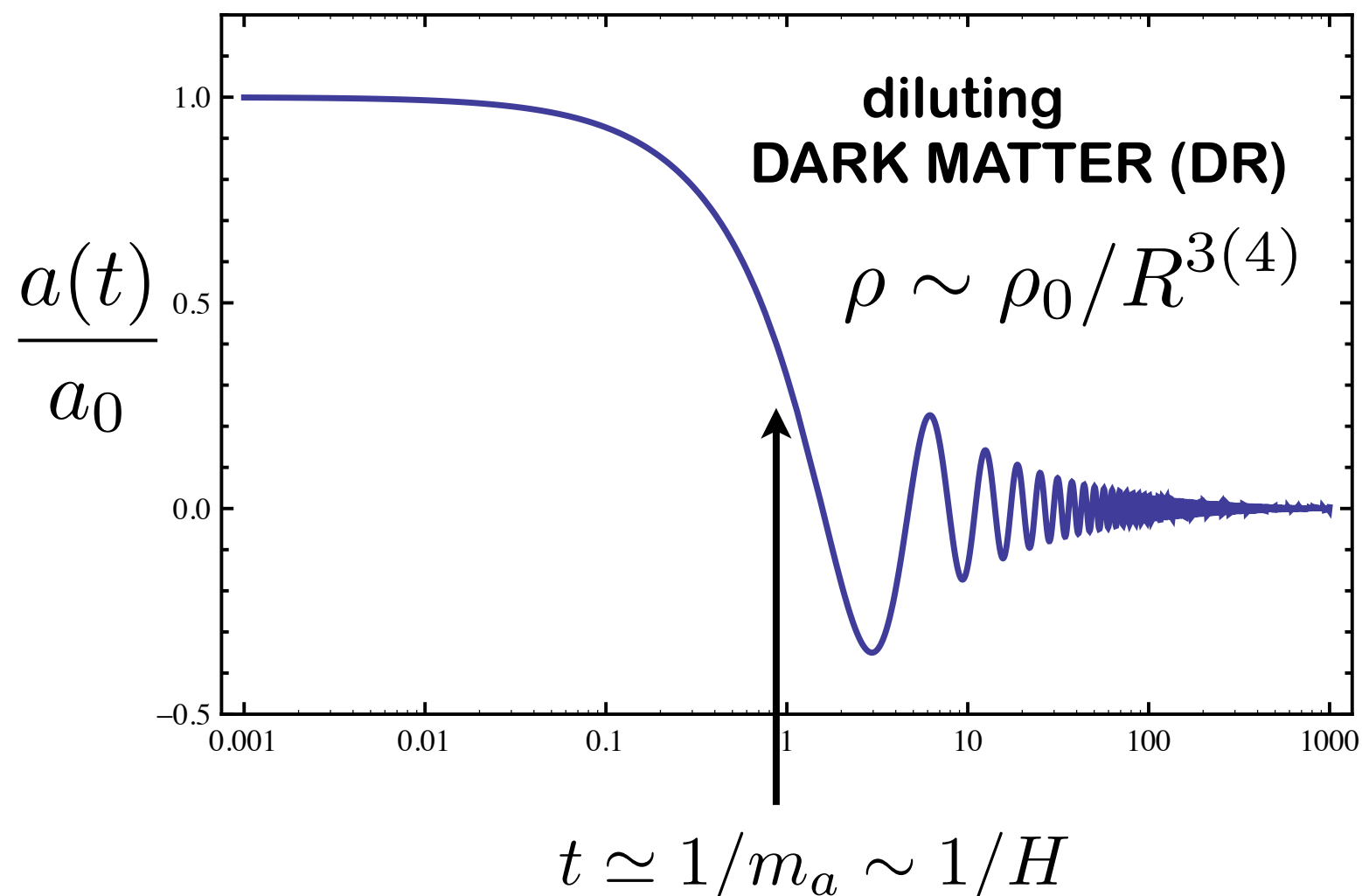
$$m_a^2 f_a^2 = \chi_0$$



DM in SCENARIO A

- **Homogeneous initial condition** $\theta(t_0, x) = \theta_I$
- **Equations of motion**

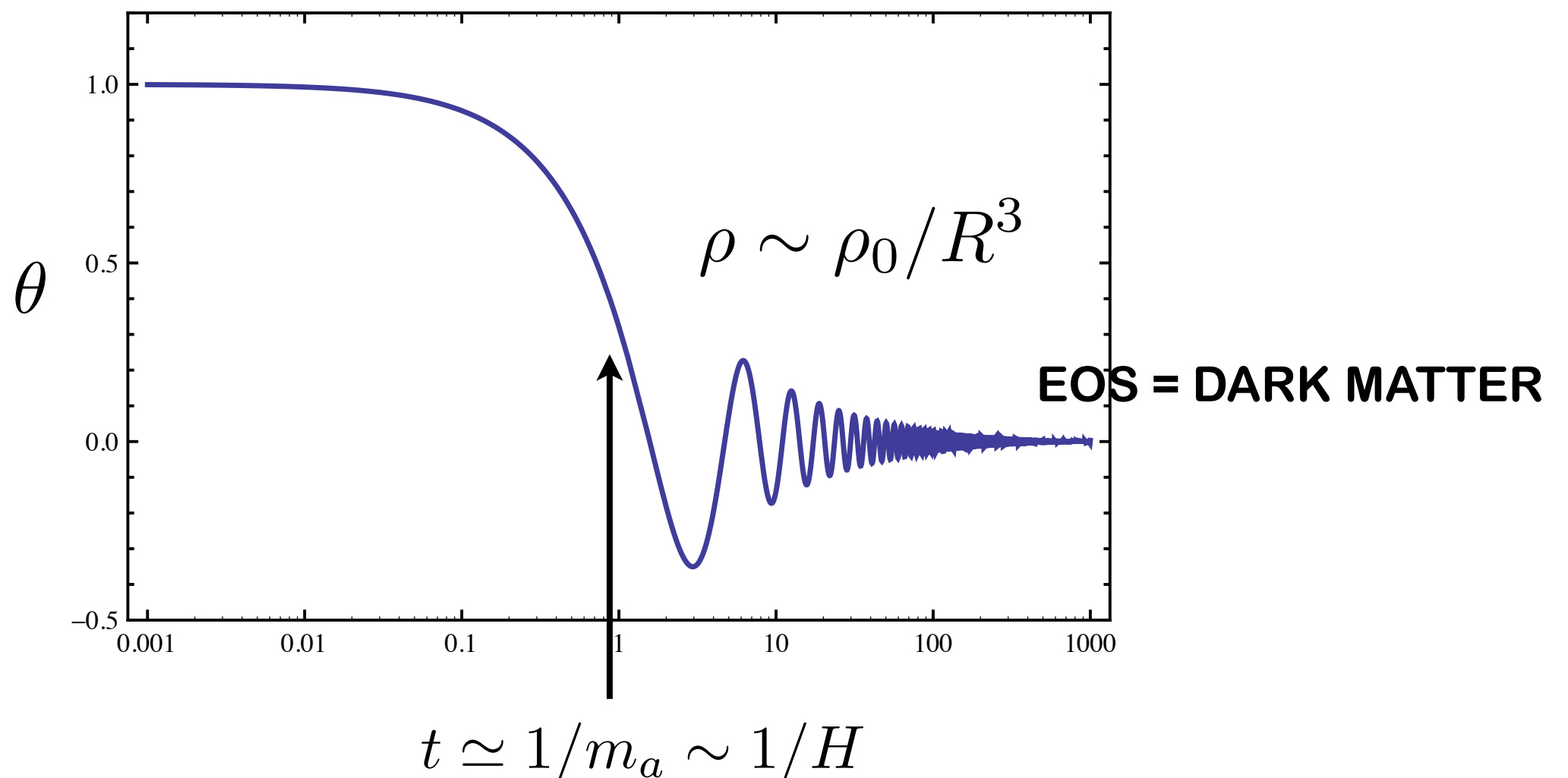
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DM in SCENARIO A

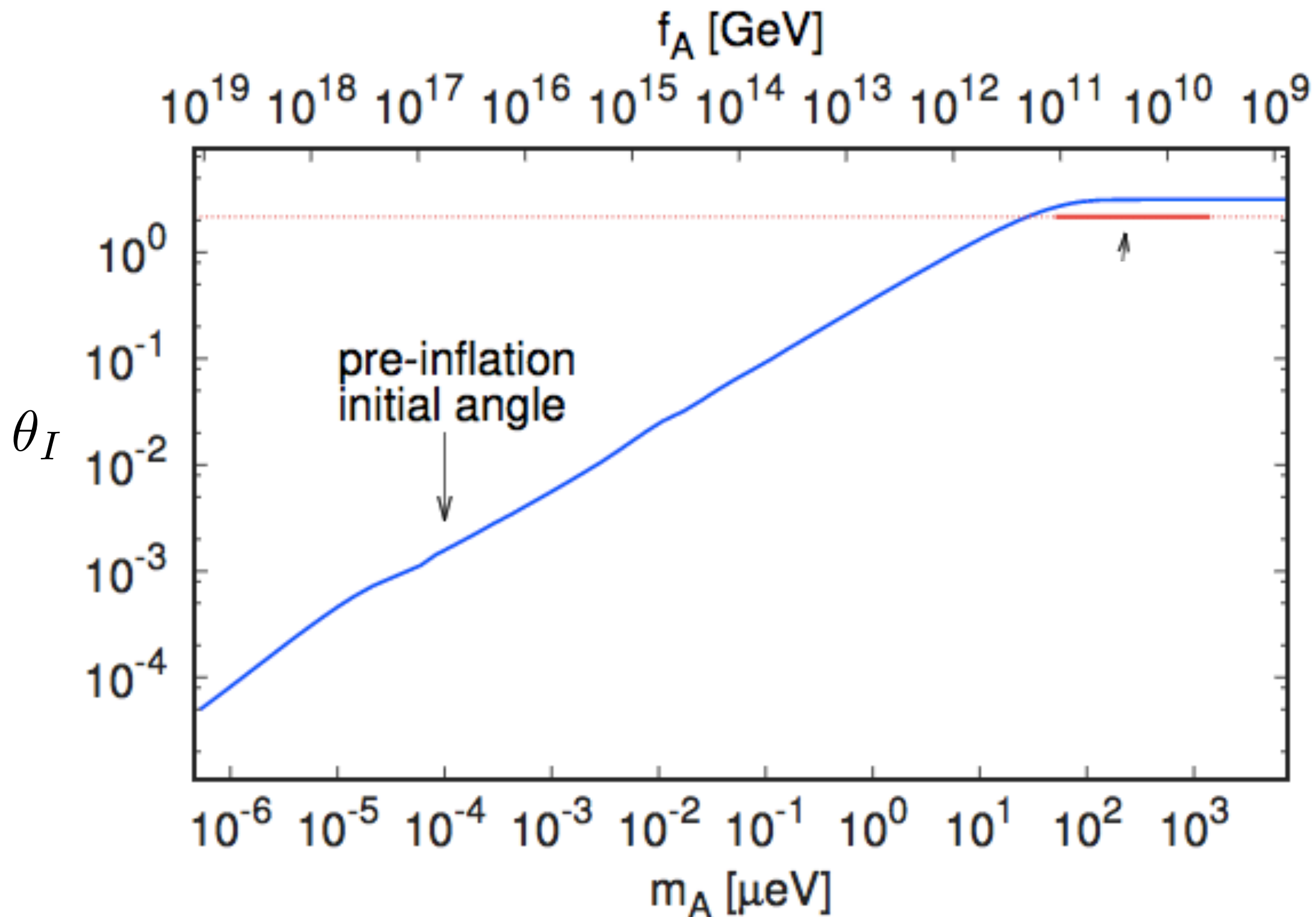
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- **Equations of motion**

$$\ddot{\theta} + 3H\dot{\theta} + \chi(T) \sin \theta = 0$$



DM in SCENARIO A $\Omega_{DM}h^2 = \Omega_a h^2 = 0.12$

- **Absolute uncertainty, any mass has an** $\Omega_a h^2 = 0.12 \theta_I^2 \left(\frac{6.4 \mu\text{eV}}{m_a} \right)^{1.17}$



Axion dark matter scenarios

- Axion DM scenarios

$$\theta_I < 0.3 \quad \theta_I \in (0.3 - 3) \quad \theta_I \sim \pi$$

tuned (anthropic?)

ok

tuned

Excluded

Astrophysics and cosmo

$f_a[\text{GeV}]$

10^{14} 10^{13} 10^{12} 10^{11} 10^{10} 10^9 10^8 10^7 10^6 10^5 10^4 10^3 10^2 10^1

$m_a[\text{eV}]$

10^{-7} 10^{-6} 10^{-5} 10^{-4} 10^{-3} 10^{-2} 10^{-1} 1 10 10^2 10^3 10^4 10^5 10^6

Initial conditions set by :

SCENARIO A

SCENARIO B

π

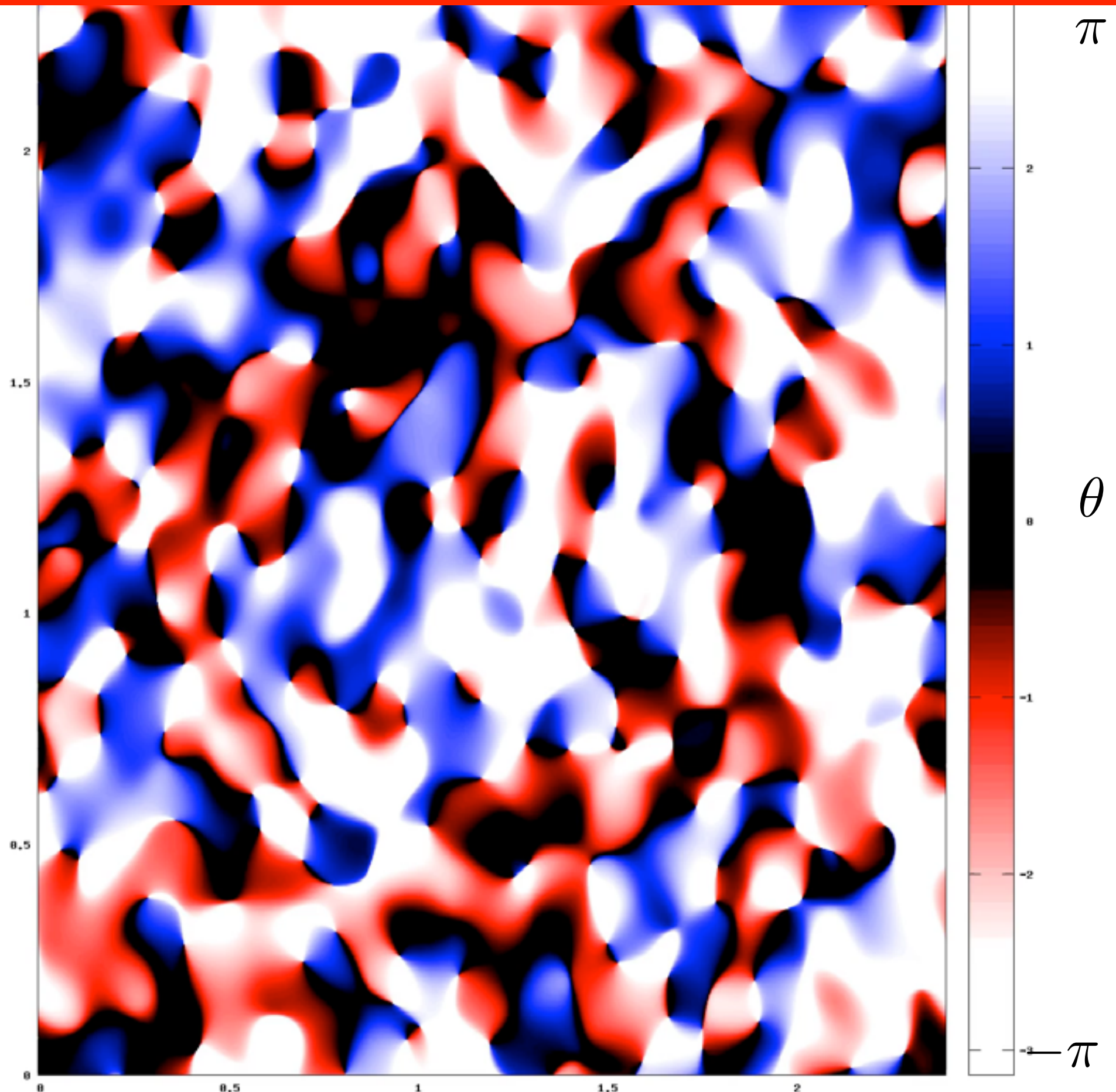
- Inflation
- PQ transition
- θ inhomogeneous
- strings
- ...
- relaxation
- ...
- T~QCD $\theta \rightarrow 0$
- domain walls
- axion DM

θ

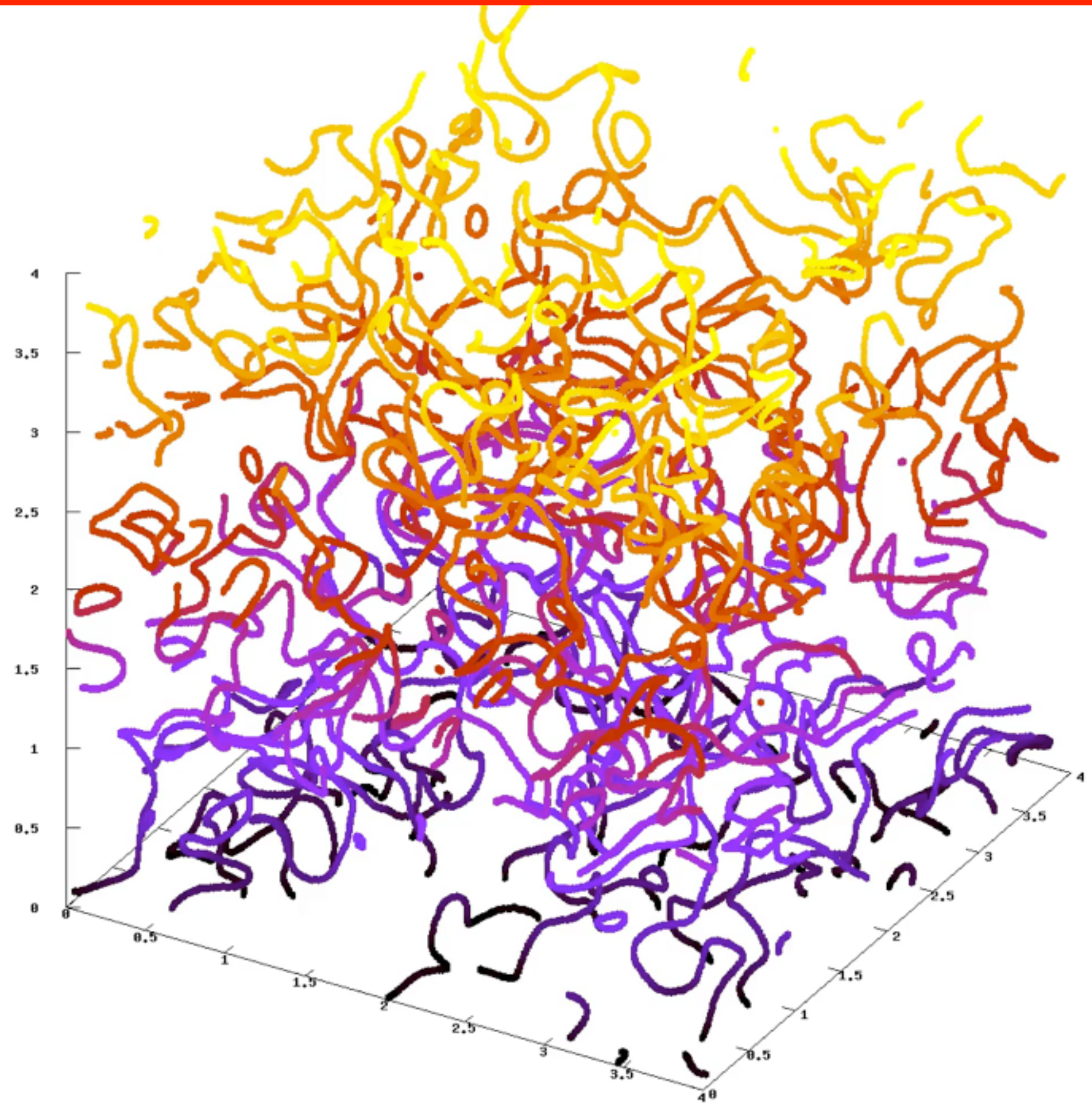
$-\pi$

SCENARIO B

- Inflation
- PQ transition
- θ inhomogeneous
- strings
- ...
- relaxation
- ...
- $T \sim QCD$ $\theta \rightarrow 0$
- domain walls
- axion DM



Strings



SCENARIO A $\Omega_{DM}h^2 = \Omega_a h^2 = 0.12$

- Random initial conditions, no θ_I uncertainty
- Uncertainty here is the axion radiation from strings/walls
- Split ... $\Omega_c h^2 = \langle \Omega_c h^2 \rangle_{\theta_I} + \Omega_{a,st} h^2$

$$\langle \Omega_c h^2 \rangle_{\theta_I} = 0.12 \left(\frac{28(2)\mu\text{eV}}{m_a} \right)^{1.165}$$

Energy in string network $\rho_s \simeq \zeta \frac{\pi f_a^2 \log(f_a t)}{t^2}$ **-> axions**
 $\zeta = 1 \pm 0.5$

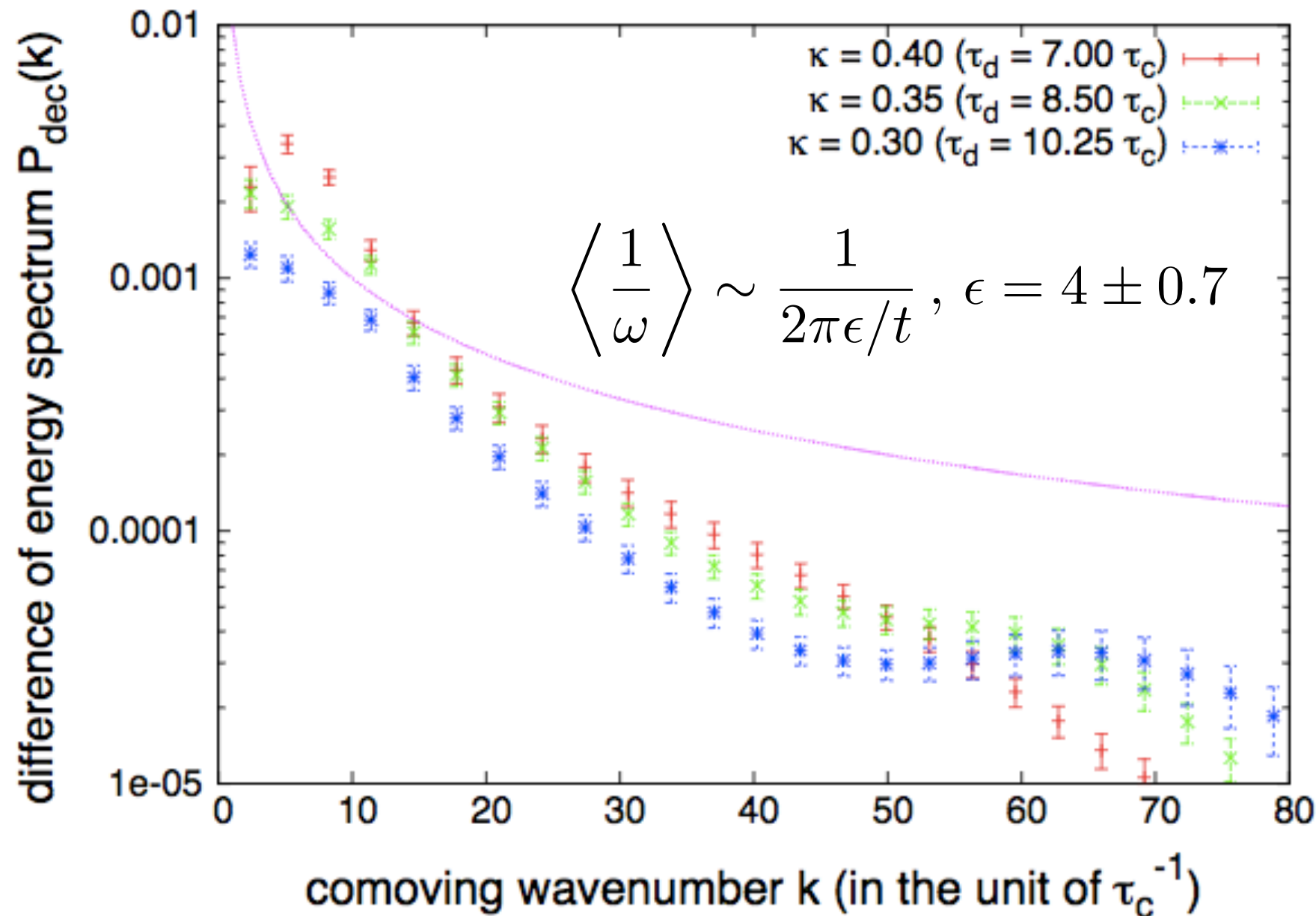
$$\Omega_{a,st} h^2 \propto N_a = \int dt R^3(t) \int d\omega \frac{1}{\omega} \frac{d\rho_{st}}{dt d\omega}$$

radiated axion spectrum

SCENARIO A $\Omega_{DM}h^2 = \Omega_a h^2 = 0.12$

- Spectrum is red

Hiramatsu et al, PRD85 (2012)



$$\Omega_{a,s}h^2 \sim 0.37^{+0.3}_{-0.2} \left(\frac{f_A}{1.92 \times 10^{11}} \right)^{1.165} \frac{\ln \left(f_A t_{co} \sqrt{\lambda_\sigma / \zeta} \right)}{50}, \quad 50 \mu\text{eV} \lesssim m_A \lesssim 200 \mu\text{eV},$$

SCENARIO A $\Omega_{DM}h^2 = \Omega_a h^2 = 0.12$

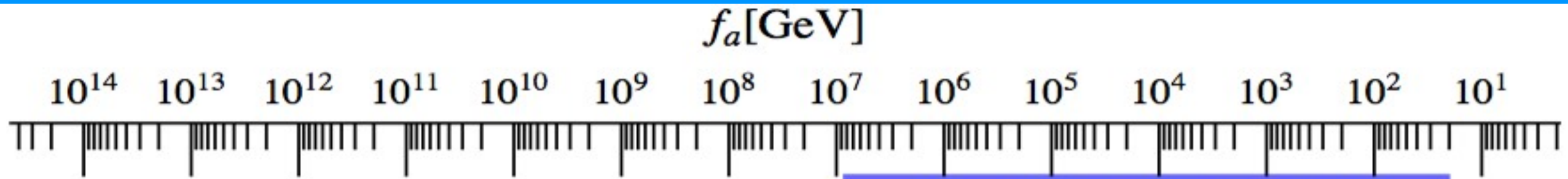
$$\Omega_a h^2 = \langle \rangle + \int dt d\omega \frac{1}{\omega} \zeta \dots$$

$$50 \mu\text{eV} \lesssim m_A \lesssim 200 \mu\text{eV},$$

- ζ and ω measured from fluffy strings $f_{a,\text{sim}} \sim 10^{-30} f_a$
- no hom. patches in the simulation
- assume strings do not interact after being radiated ...
- alternatively one can compute $\Omega_a h^2$ directly from simulations

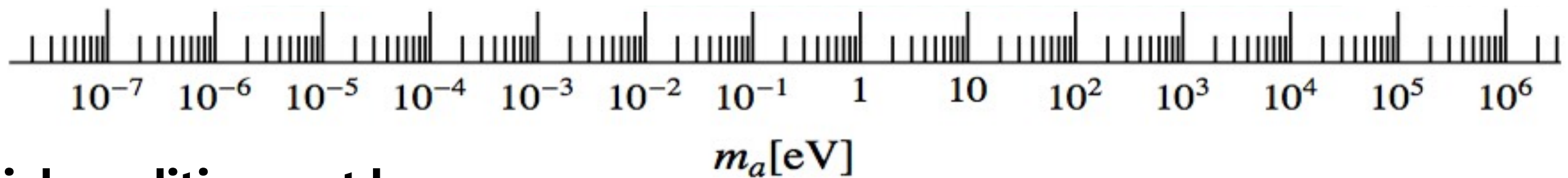
Moore et al get $m_a \sim 18 \mu\text{eV}$

Axion dark matter scenarios



- Axion DM scenarios

tuned (anthropic?) ok tuned

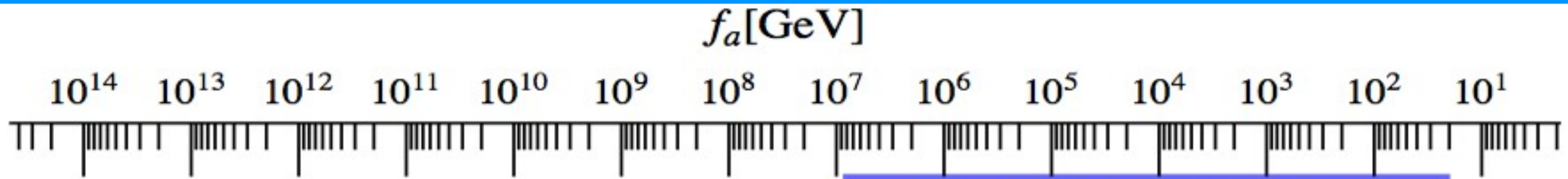


Initial conditions set by :

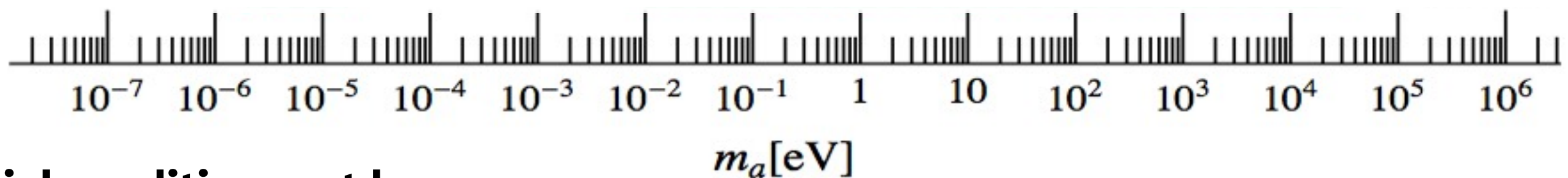
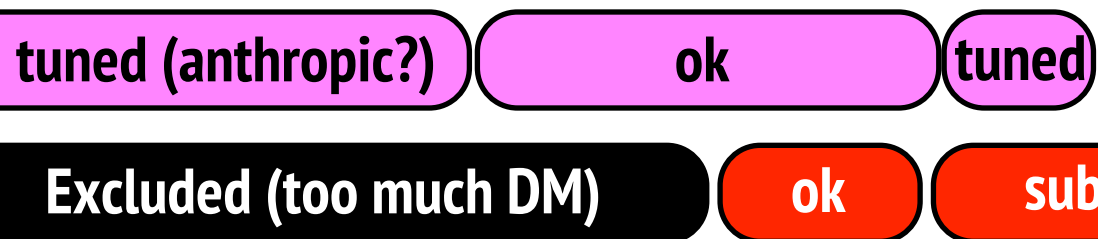
Inflation smooth

$$\Omega_{\text{aDM}} h^2 \simeq \theta_I^2 \left(\frac{80 \mu\text{eV}}{m_a} \right)^{1.19}$$

Axion dark matter scenarios



- Axion DM scenarios



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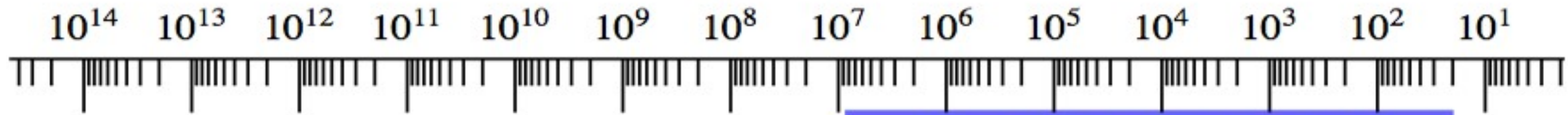
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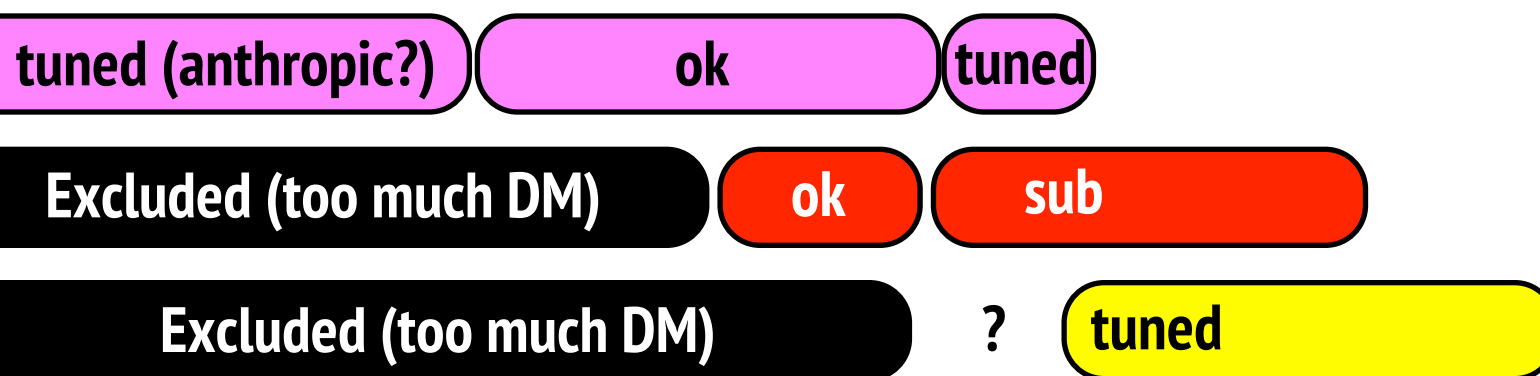
**Phase transition (N=1)
strings+unstable DW's**

Axion dark matter scenarios

$f_a[\text{GeV}]$



- Axion DM scenarios



$m_a[\text{eV}]$

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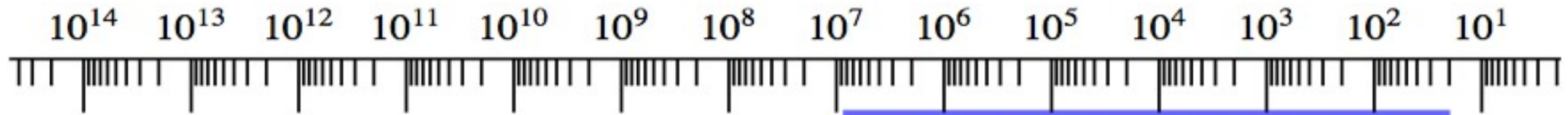
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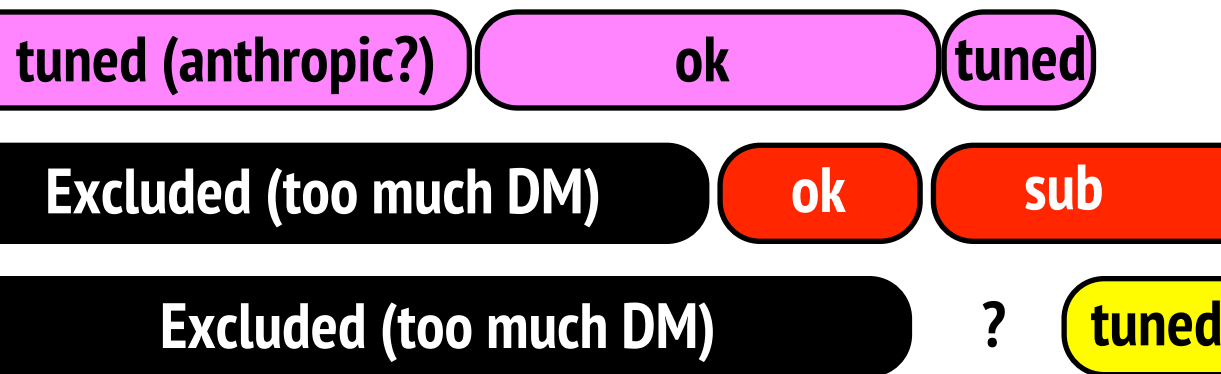
Phase transition (N>1)
strings+long-lived DWs

Axion dark matter scenarios

$f_a[\text{GeV}]$



- Axion DM scenarios



Excluded
Astrophysics and cosmo



$m_a[\text{eV}]$

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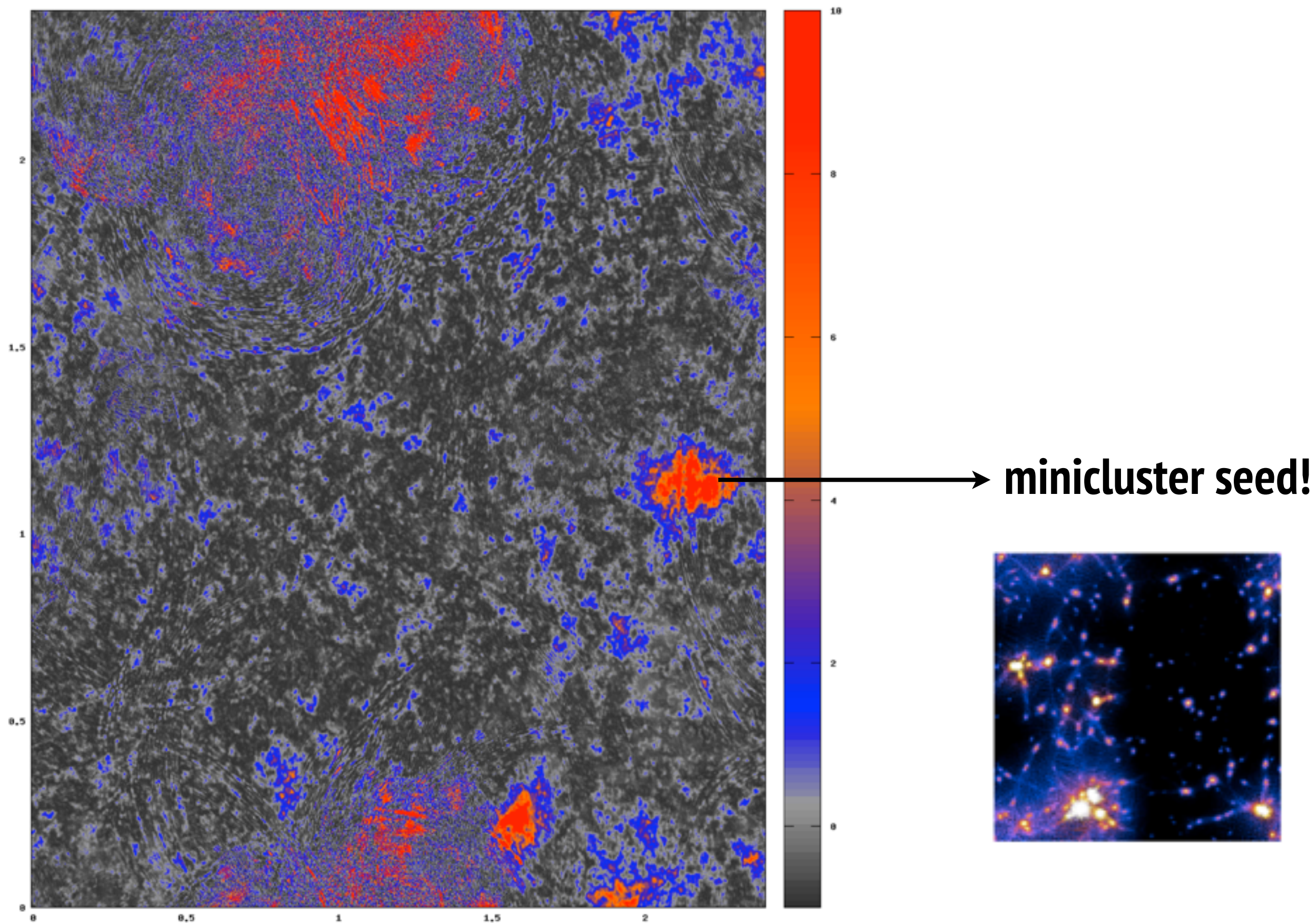
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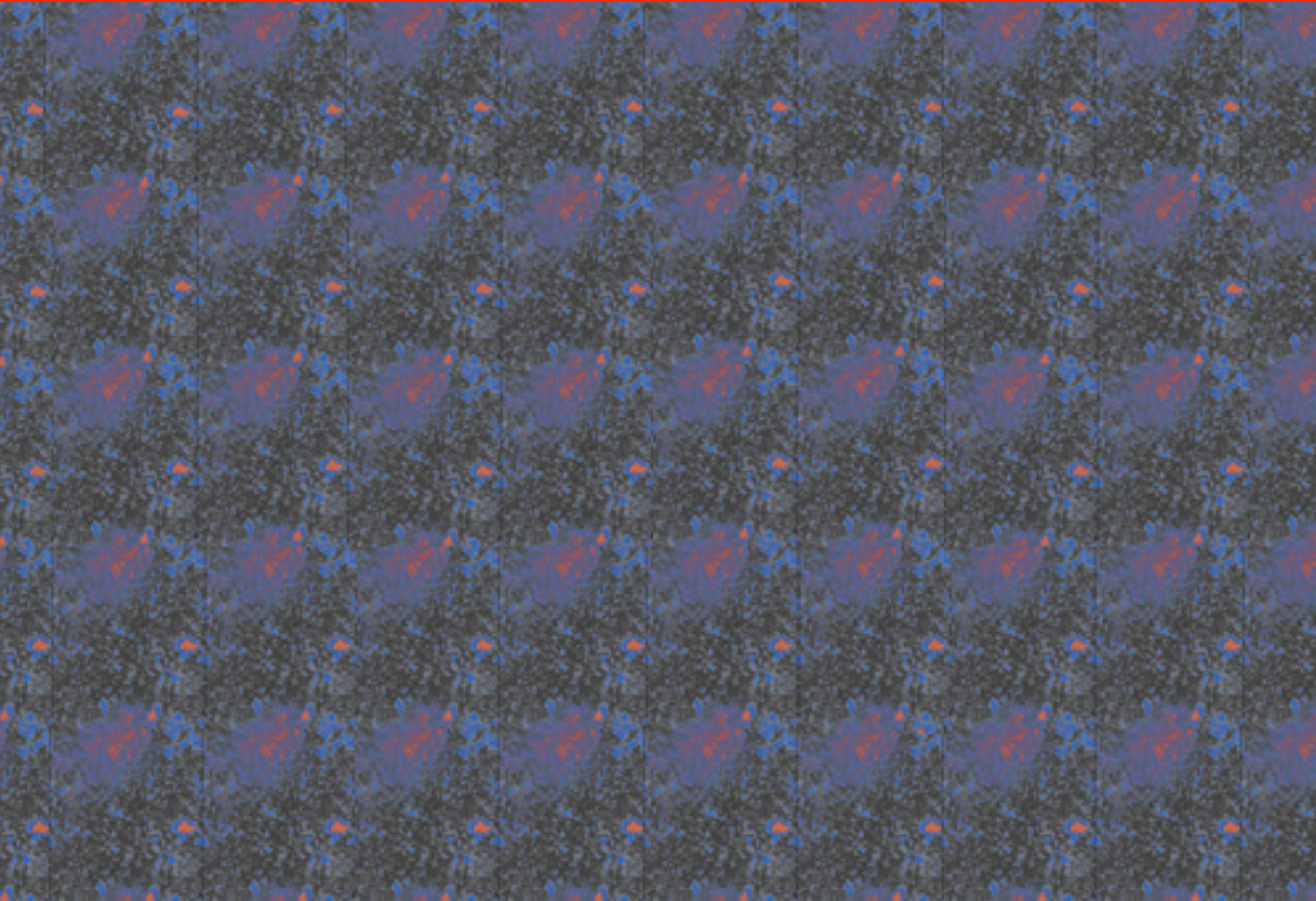
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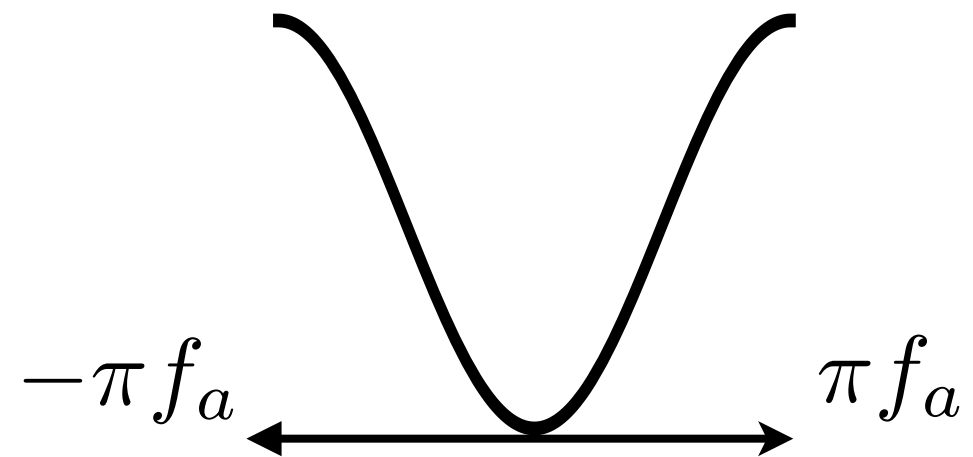
Dark matter density, inhomogeneous at comoving mpc scales



but homogeneous at large scales

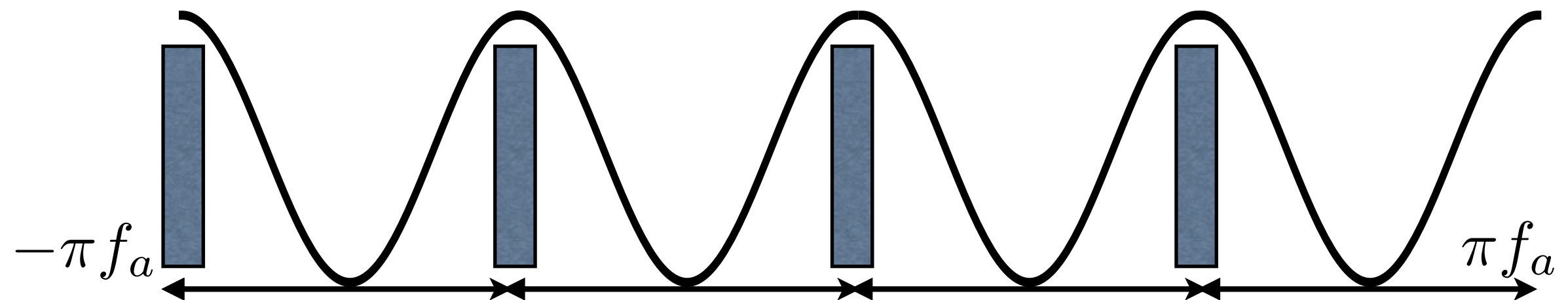


SCENARIO A, $N=1$

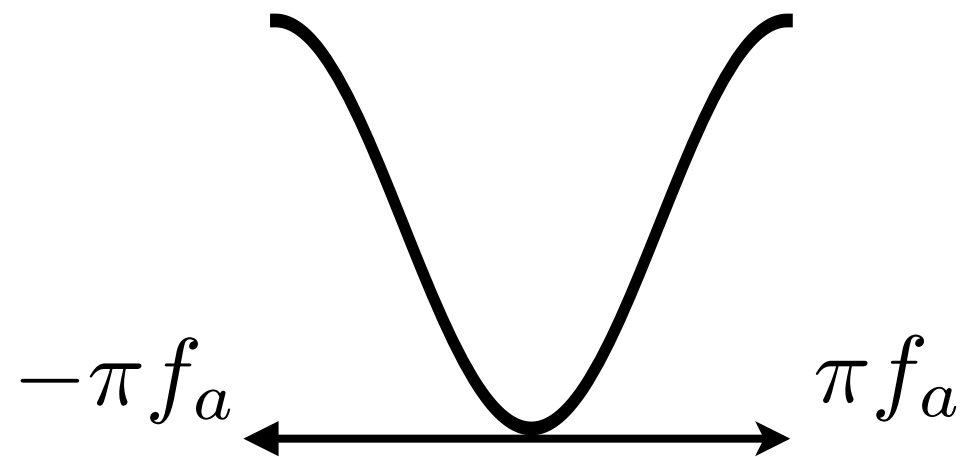


$$\frac{a}{f_a} = N\theta$$

SCENARIO A, $N>1$, Domain Walls stable $\rightarrow$ cosmological disaster

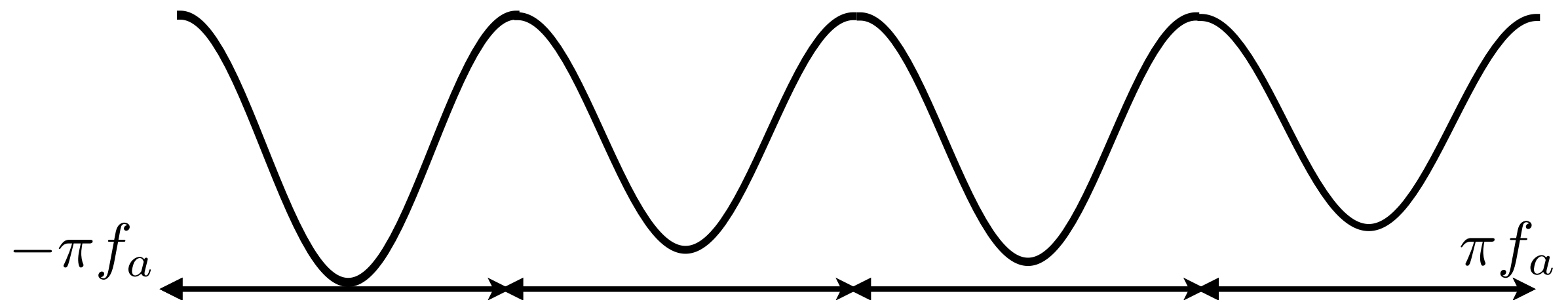


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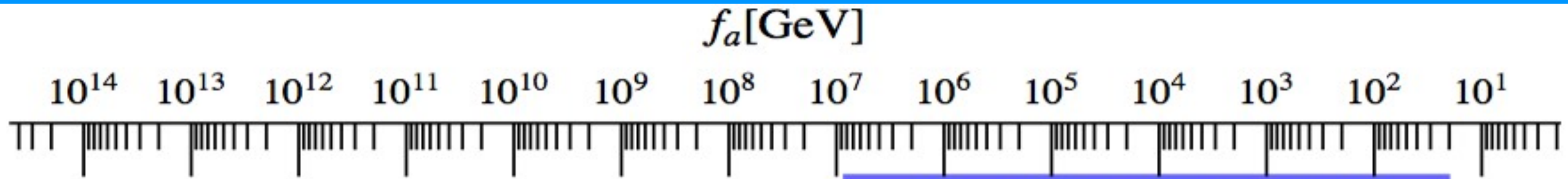


$$\frac{a}{f_a} = N\theta$$

SCENARIO A, $N>1$, break slightly degeneracy (quantum gravity?)

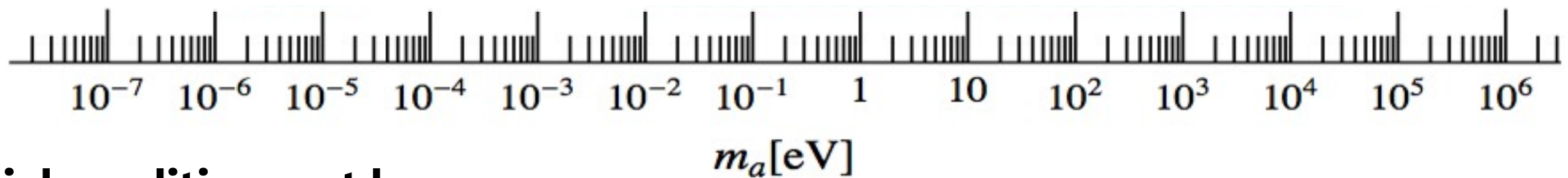


Axion dark matter scenarios



- Axion DM scenarios

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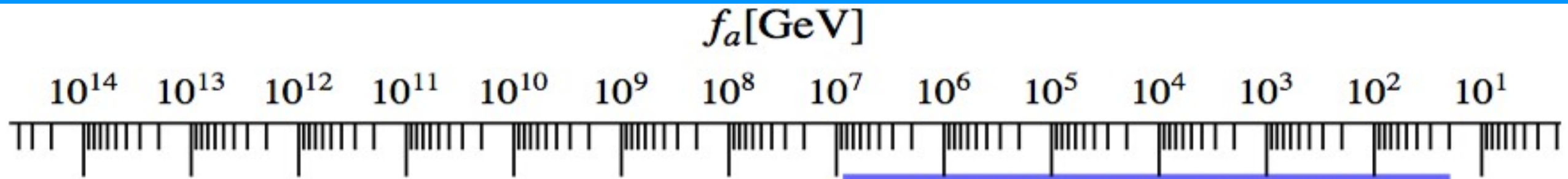


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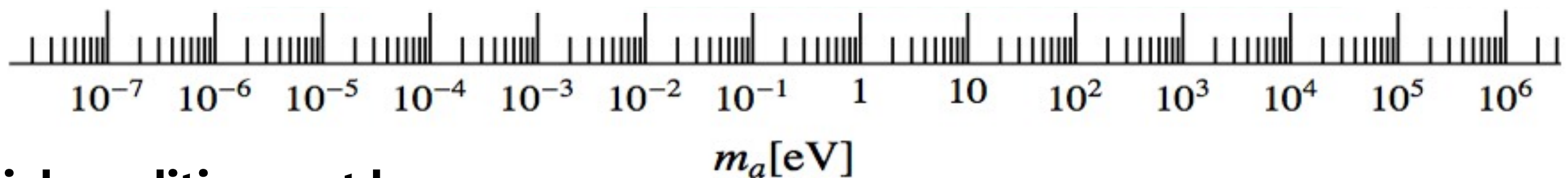
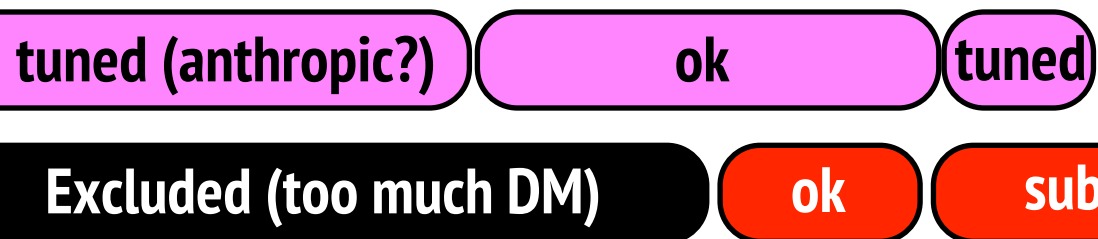
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Axion dark matter scenarios



- Axion DM scenarios



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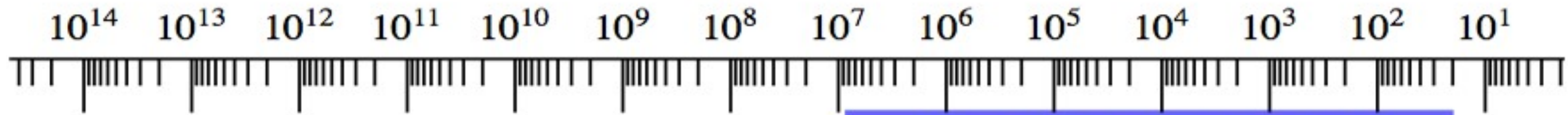
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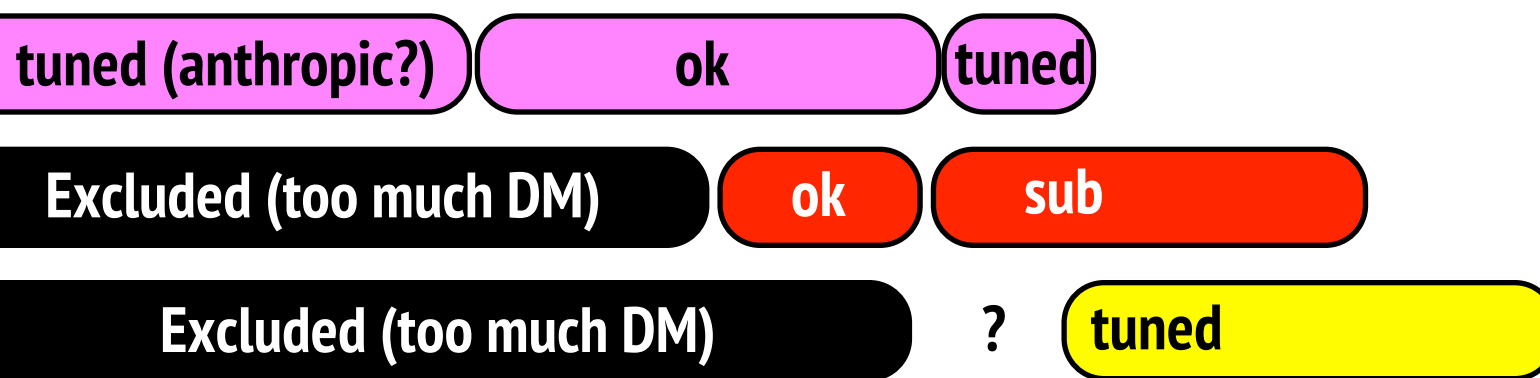
**Phase transition (N=1)
strings+unstable DW's**

Axion dark matter scenarios

$f_a[\text{GeV}]$



- Axion DM scenarios



$m_a[\text{eV}]$

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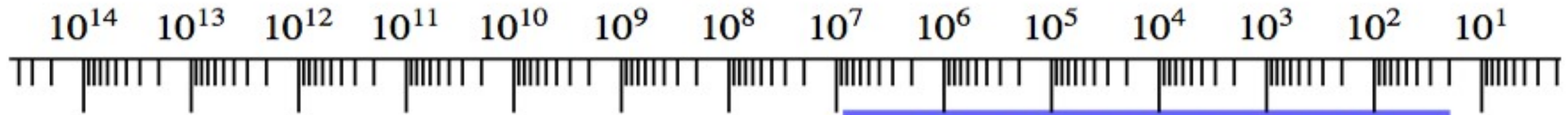
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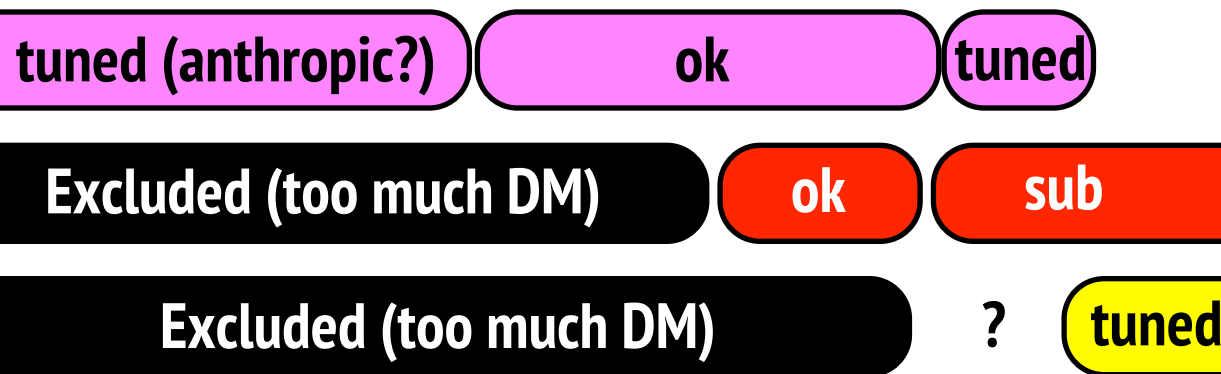
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Axion dark matter scenarios

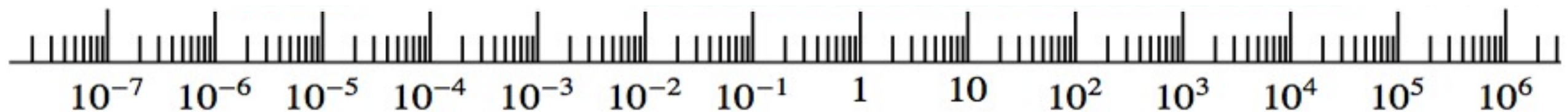
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Excluded
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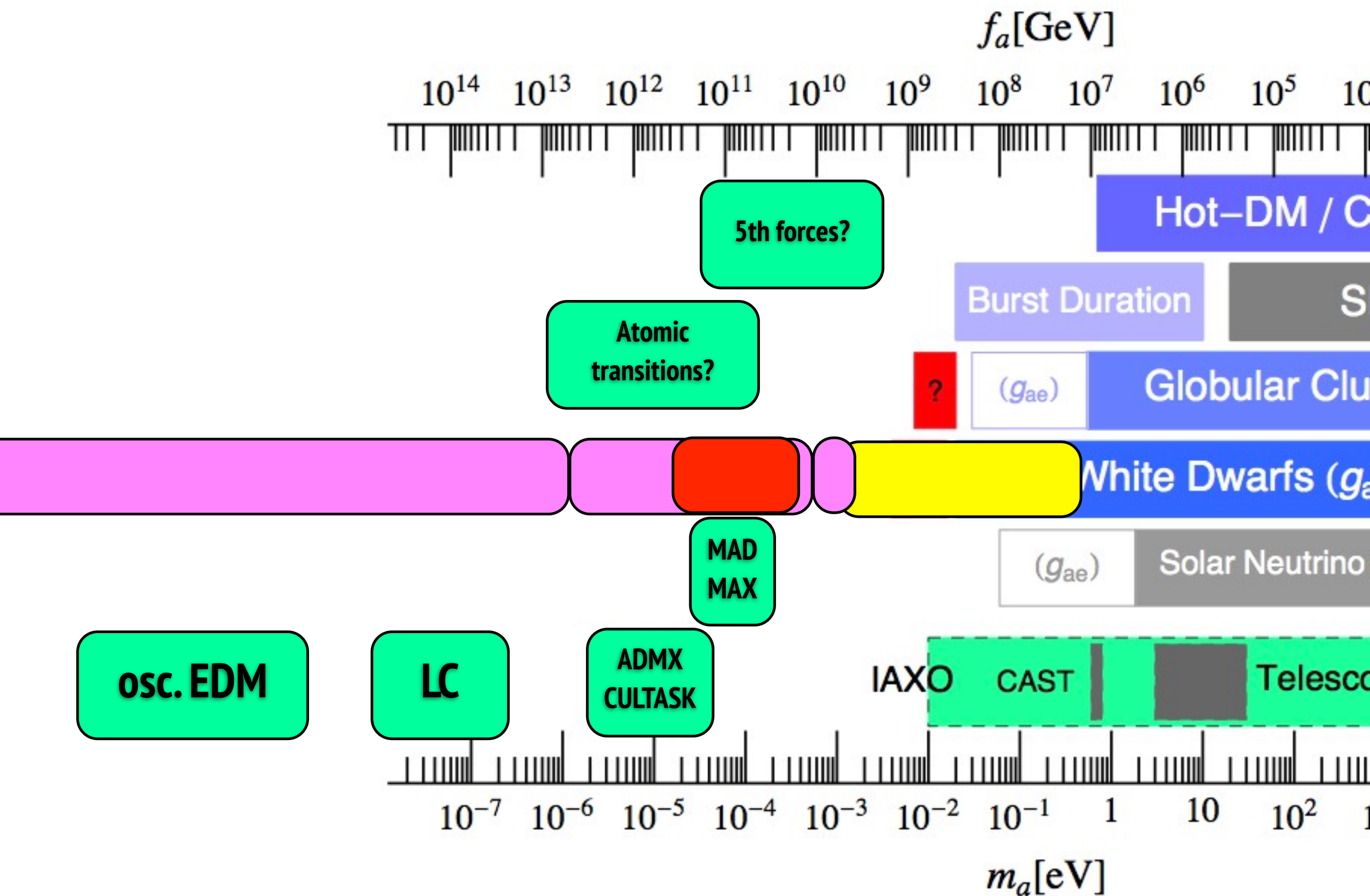
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Comparison with experimental target areas



Thank you!!!