

Experimental Results on Exclusive Vector Mesons and Heavy Quarkonium



Paul Thompson
Birmingham University



H1 and ZEUS Collaborations

- Introduction and Motivation
- Elastic Vector Meson production
 - Proton Dissociation
 - high $|t|$
 - Summary

Motivation

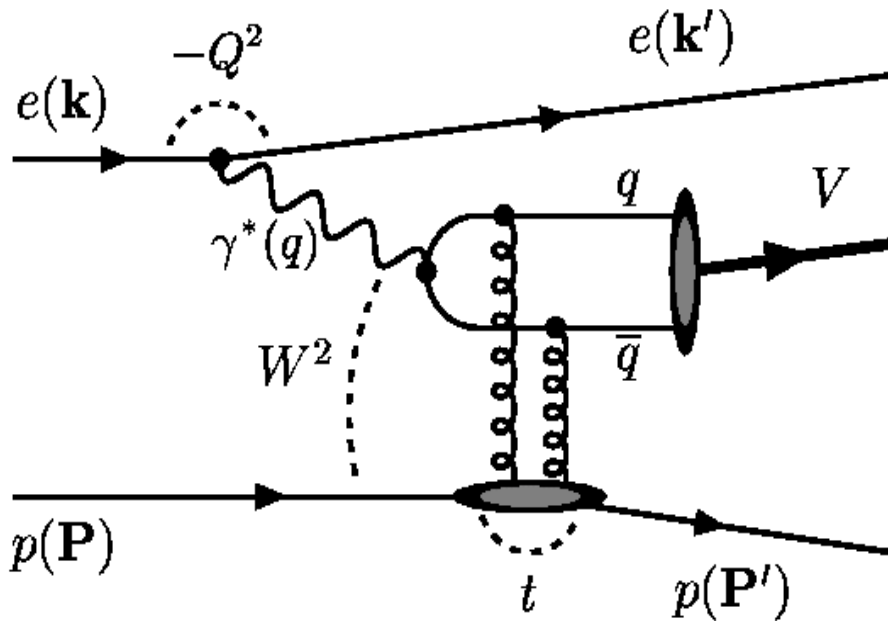
Investigation of vacuum-exchange processes

- Vacuum -exchange is complicated. Bulk of hadronic processes not calculable from first principles. Using high energy **hard diffraction** events we hope to learn more about the fundamental properties of strong force.

Exclusive Vector Mesons

- Study properties of the strong interaction and identify kinematic areas where pQCD is applicable:
Look for soft- \rightarrow hard transitions using the scales Q^2 , M_V^2 , $|t|$
-Study of energy dependence is an important tool
- Dipole separation $\sim [Q^2+m_q^2]^{-1/2}$
Do we observe scaling in $[Q^2+M^2]$?
- Exclusive VM channel allows study of helicity structure using decay angles. **Do we see helicity transfer, universal scaling behaviour, VM structure?**

Vector Meson Production at HERA



- Experimentally clean process
 - wide kinematic range

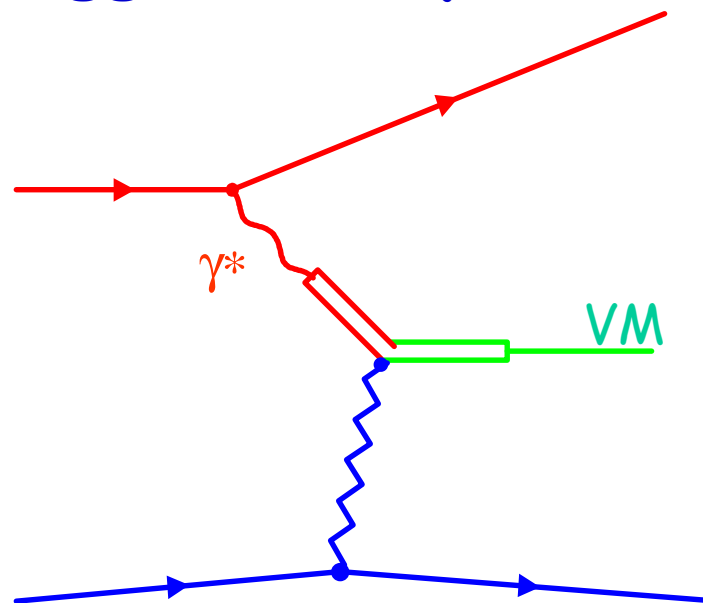
HERA -> simultaneous control of different scales: Q^2, t, M^2

VM	Vector Meson	$\rho, \omega, \phi, J/\Psi, \Psi', Y$
$W^2 = (q+p)^2$	γp COM energy	$20 < W < 290 \text{ GeV}$
$Q^2 = -q^2 = (k-k')^2$	γ^* virtuality	$0 < Q^2 < 100 \text{ GeV}^2$
$t = (p-p')^2$	4-mom. transfer at p vertex	$-1 < t < 0 \text{ GeV}^2$ (exclusive) $-30 < t < 0 \text{ GeV}^2$ (p. diss)

VMD and Regge Theory

VMDominance:

- photon fluctuates into VM before interaction (VM retains γ^* helicity SCHC)
- VM scatters off proton (soft interaction)



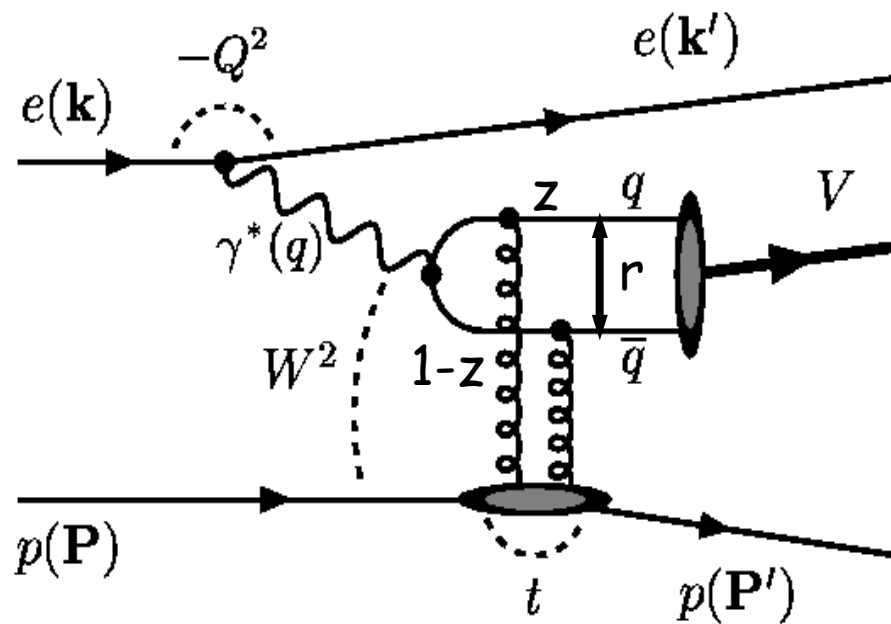
Regge theory:

Successful parameterisation of soft processes by Regge trajectories

$$\alpha_{IP}(t) = \alpha_{IP}(0) + \alpha' t \quad \text{soft pomeron} \quad \alpha_{IP}(0) = 1.08, \quad \alpha' = 0.25 \text{ GeV}^{-2}$$

- Intercept describes weak energy dependence of cross section
 $\sigma \sim W^\delta \quad \delta \sim 0.2 \quad \delta = 2(\alpha_{IP}(0) - 1)$
- Small scattering angles $d\sigma/dt \sim e^{b(W)t}$
- shrinkage $b(W) = b_0 + 4\alpha' \ln(W/W_0)$

Dipole Picture in Proton Rest Frame



- $\gamma^* \rightarrow qq$ (wave function
- qq scattering off proton
- VM formed after interaction

- $\gamma^* \rightarrow qq$ (wave function parameterisations exist DGKP, NNPZ etc.)
- dipole cross section from proton. Lowest order colour singlet exchange 2 gluons.
- r : transverse separation of dipoles $r \sim [z(1-z)Q^2 + m_q^2]^{-1/2}$
- Large Q^2 or m_q^2 small dipole resolve short distances \rightarrow pQCD
- Large dipole (small Q^2 and m_q^2) \rightarrow non-perturbative

pQCD predictions

$$\sigma_L |_{t=0} \sim \alpha_s^2(Q_{\text{eff}}^2)/Q^6 |xG(x, Q_{\text{eff}}^2)|^2$$

MRT: Phys. Rev. D62 (2000) 14022.

FKS: Phys. Rev. D57 (1998) 512.

1. Fast rise with energy from rise of gluon density $W^{\sim 0.8}$ [$W^2 \sim 1/x$]
 Q^2 dependence slower than $1/Q^6$ due to xG
2. Longitudinal cross section asymptotically dominant ($R = \sigma_L/\sigma_T = Q^2/M^2$)
3. Q^2 dependence less than $1/Q^6$ due to gluon density
4. Approximate Flavour symmetry due to universal hard 2g-dipole scatter
 $\rho : \omega : \phi : J/\Psi = 9 (9) : 1 (0.8) : 2 (2.4) : 8 (28)$
modification proportional to mass due to dipole-VM transition
5. Transverse $\sigma_T \sim Q^{-8}$: large dipole sizes due to endpoint effects make problems for predictions for light VMs
6. Universal t-dependence $\sim e^{-4|t|}$. No shrinkage (2g)

Confront models with data ->

Elastic VM in photoproduction ($Q^2=0, |t|\sim 0$)

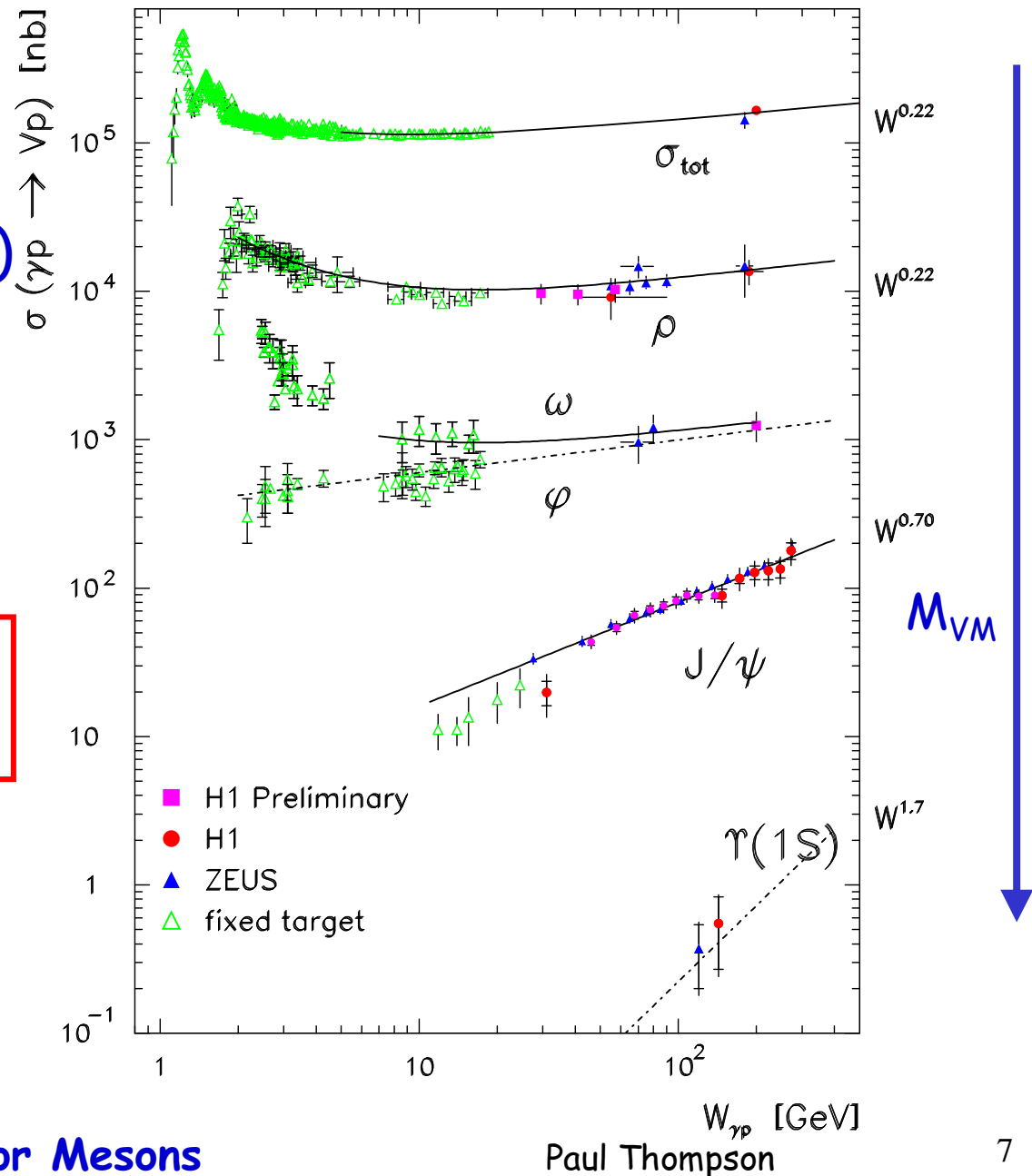
W-dependence:

Fit $\sigma^{\text{el}}(W) \sim W^\delta = 2 \alpha_{\text{IP}} \langle t \rangle$

$\delta = 0.22$ ρ^0, ω, ϕ "soft"

$\delta = 0.8$ for J/ψ "hard"

\Rightarrow VM mass - hard scale
to apply pQCD?



Elastic J/Ψ Mesons in Photoproduction

Fast rise with W:

$$W^\delta \quad \delta \sim 0.7$$

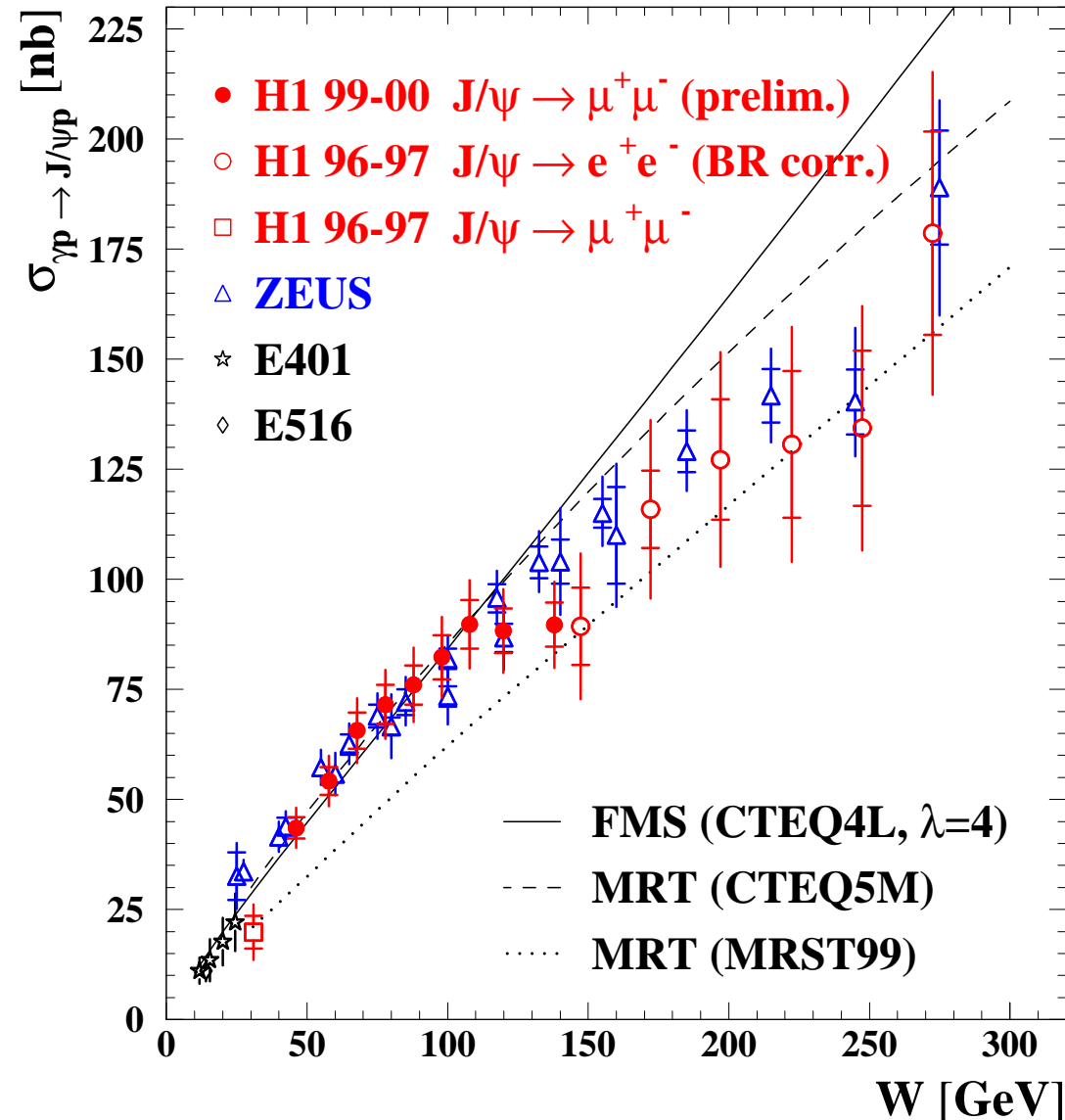
pQCD models with $M_{J/\Psi}$
as hard scale give
qualitative description of
data

Extraction of gluon density?

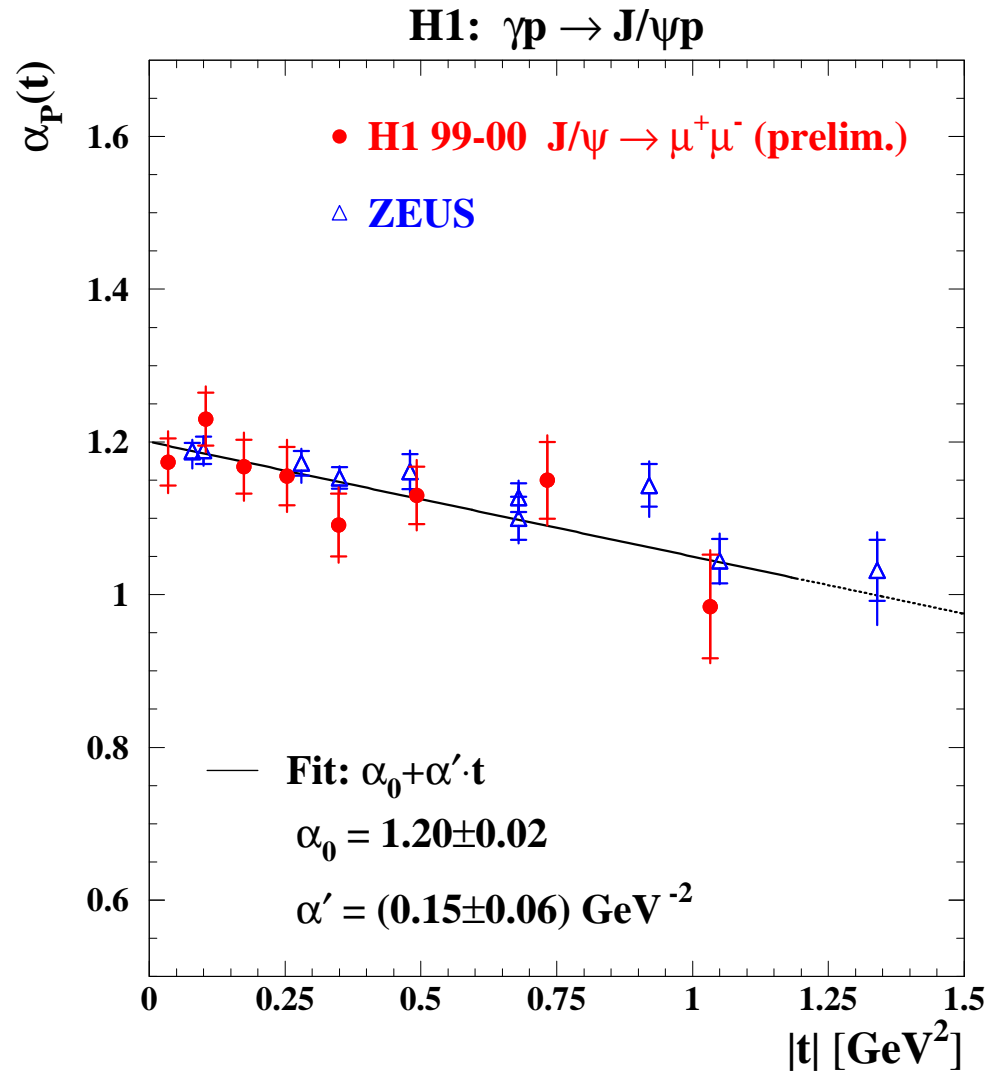
$$\sigma_L \sim [xG(x, Q_{\text{eff}}^2)]^2$$

Choice of Q_{eff}^2 ?
NLO effects?

H1: $\gamma p \rightarrow J/\psi p$



Pomeron Trajectory for J/Ψ in γp

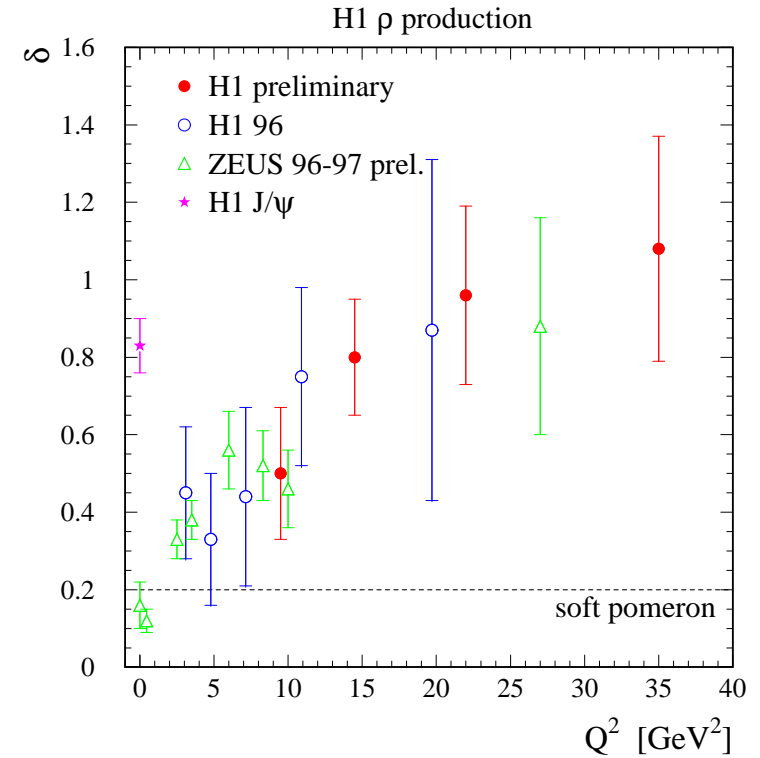
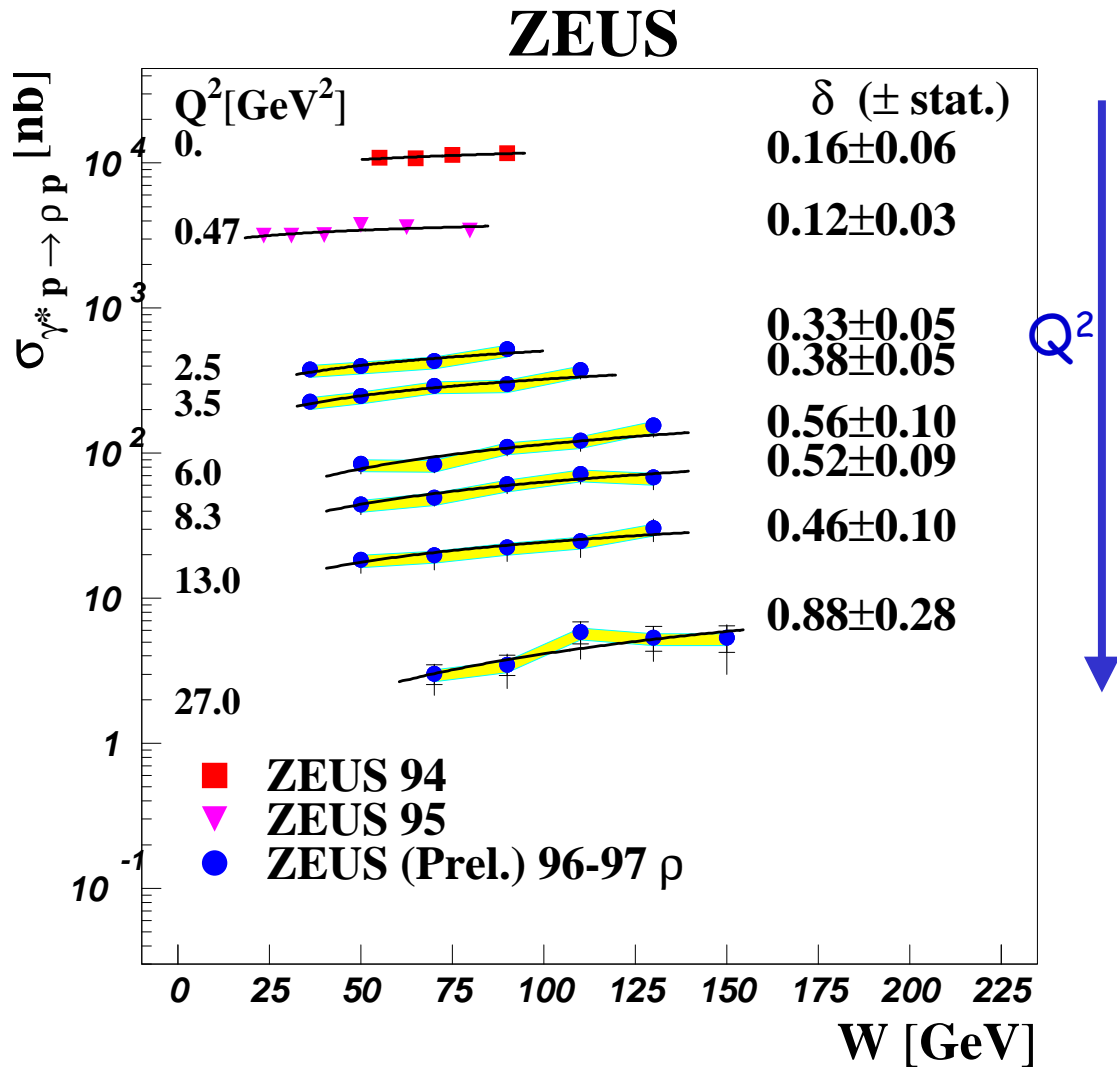


Measure W -dependence
in bins of t

⇒ "soft" Pomeron
alone excluded

-Shrinkage observed

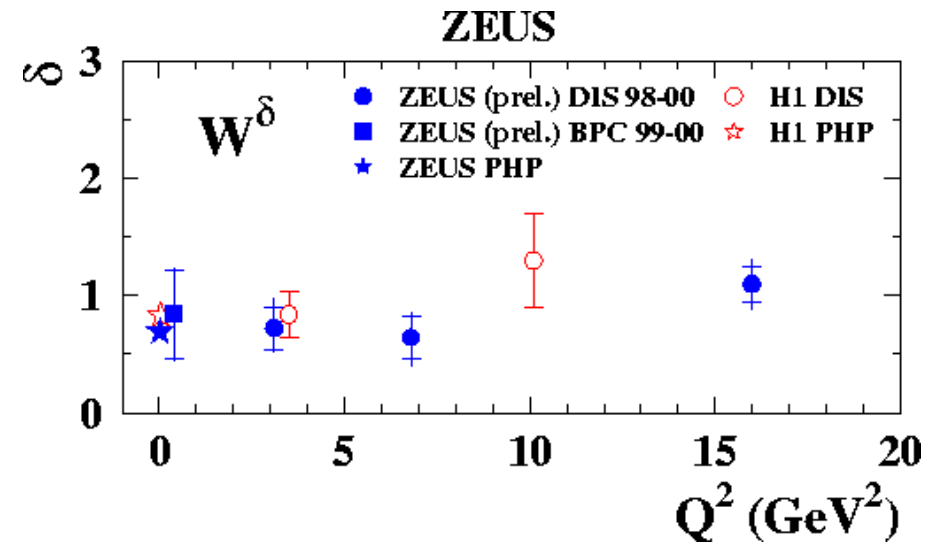
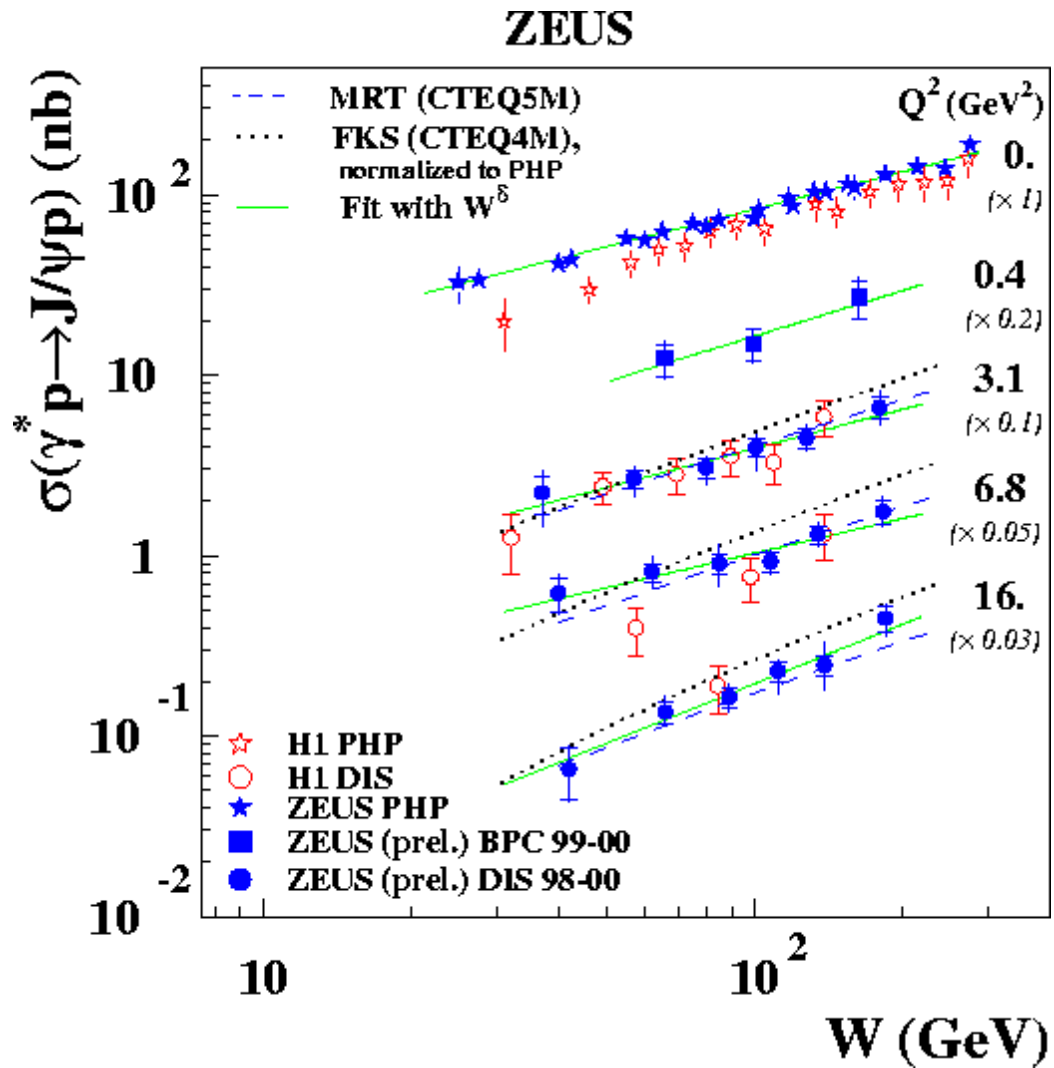
W-dependence of elastic ρ^0 in bins of Q^2



->W-dependence steepens vs Q^2
 -Smooth transition **soft**-> **hard**

$\Rightarrow Q^2$ hard scale for pQCD?

W-dependence of elastic J/Ψ in bins of Q²

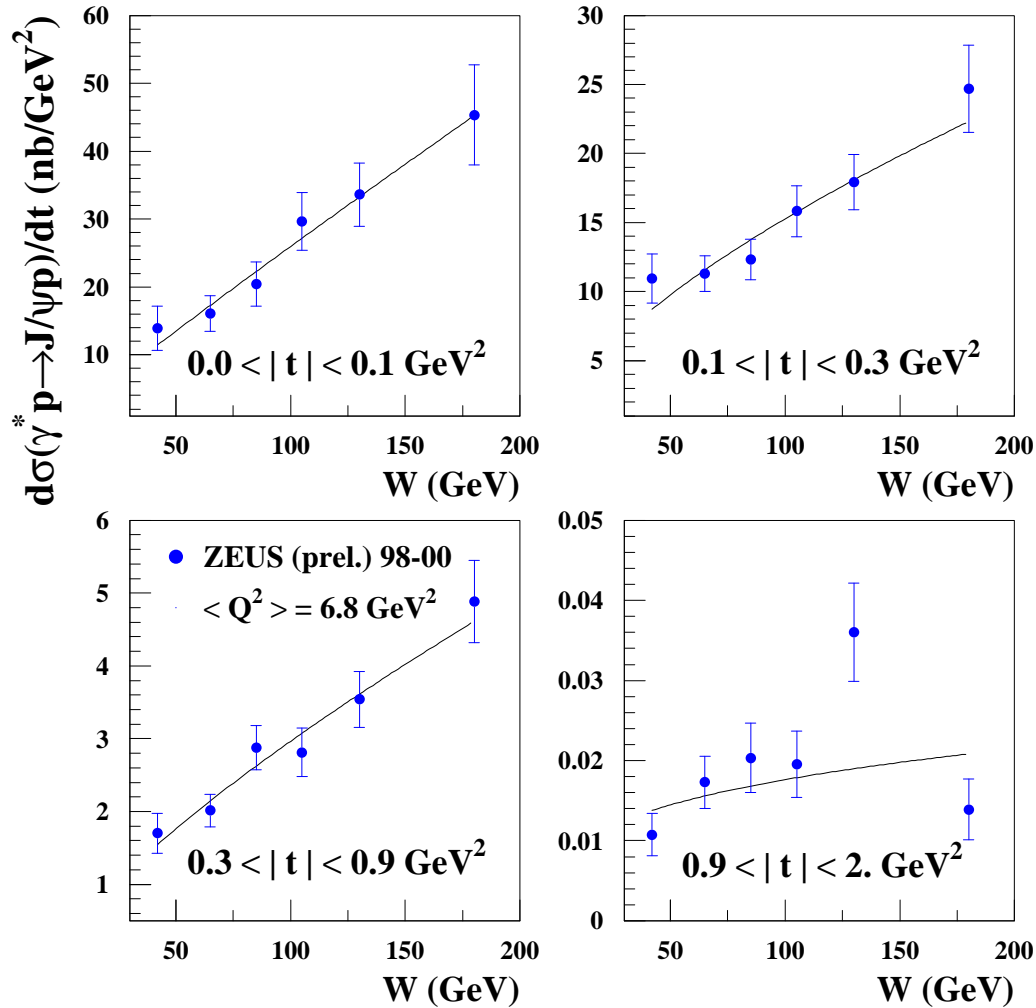


- δ flat in Q^2 for J/Ψ ($\delta \sim 0.7$)
- J/Ψ "hard" process

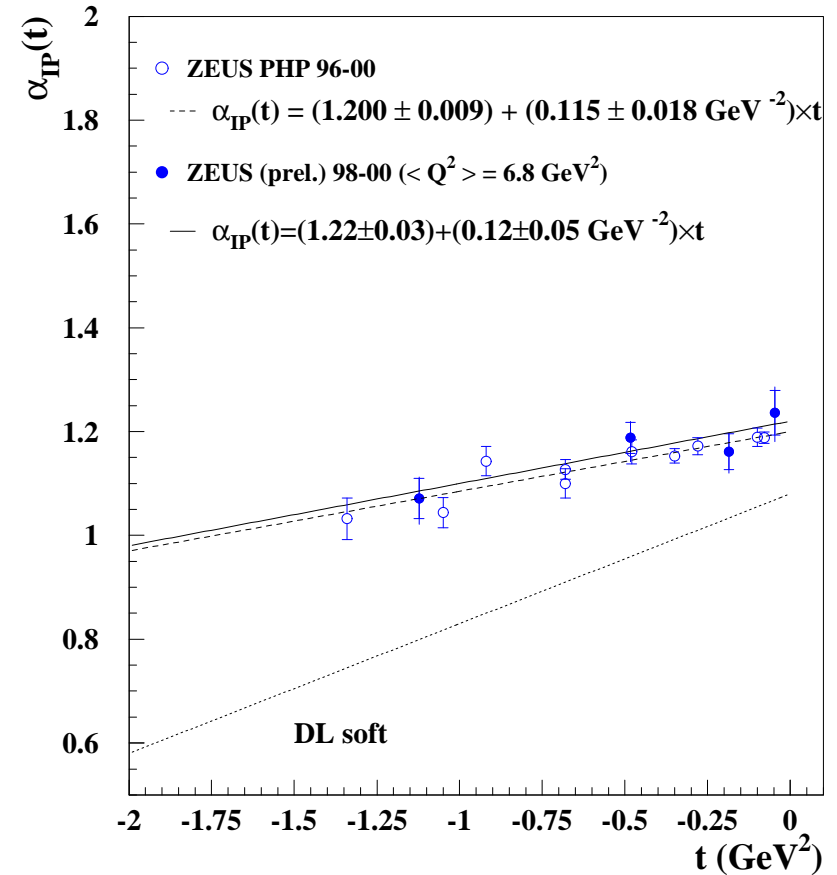
pQCD models using xG give qualitative description

Pomeron trajectory for J/ψ in Electroproduction

ZEUS

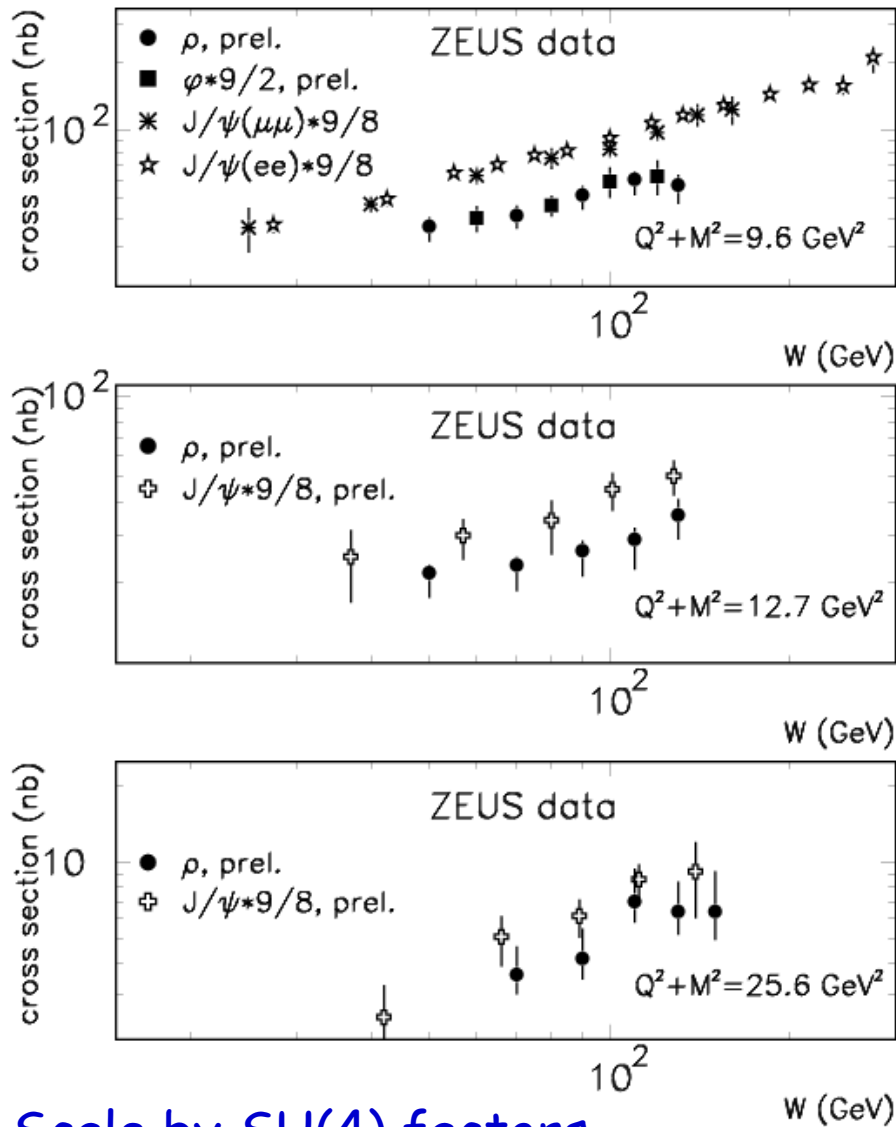


ZEUS



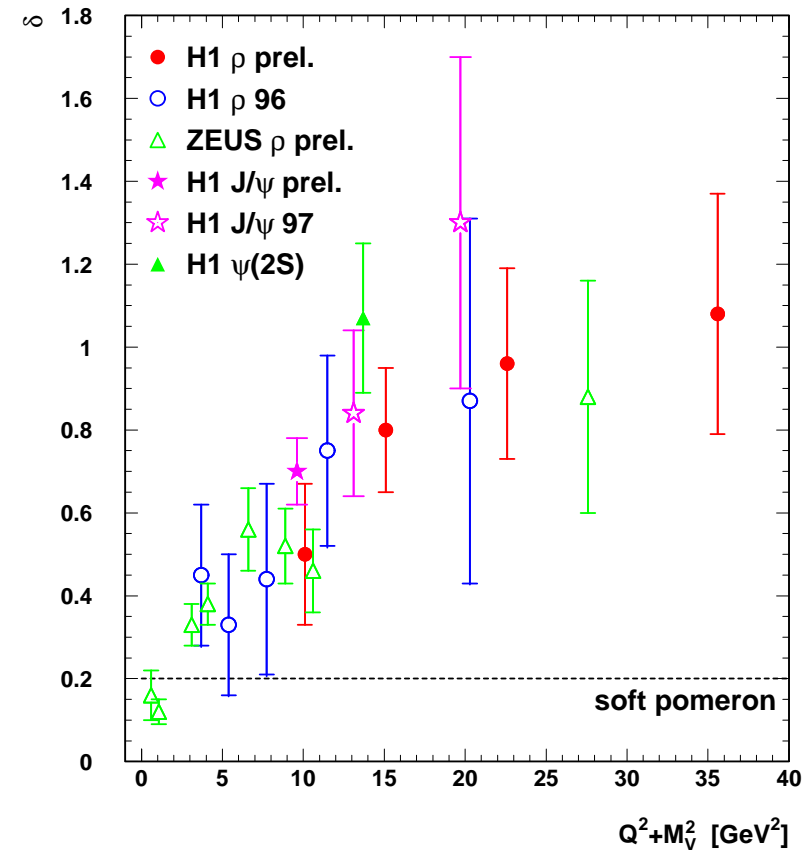
- increasing precision at high Q^2
- trajectory consistent with γp

Is Q^2+M^2 a universal scale for W -dependence?



Scale by SU(4) factors
 $\rho : \omega : \phi : J/\Psi = 9 : 1 : 2 : 8$

Ringberg 2003



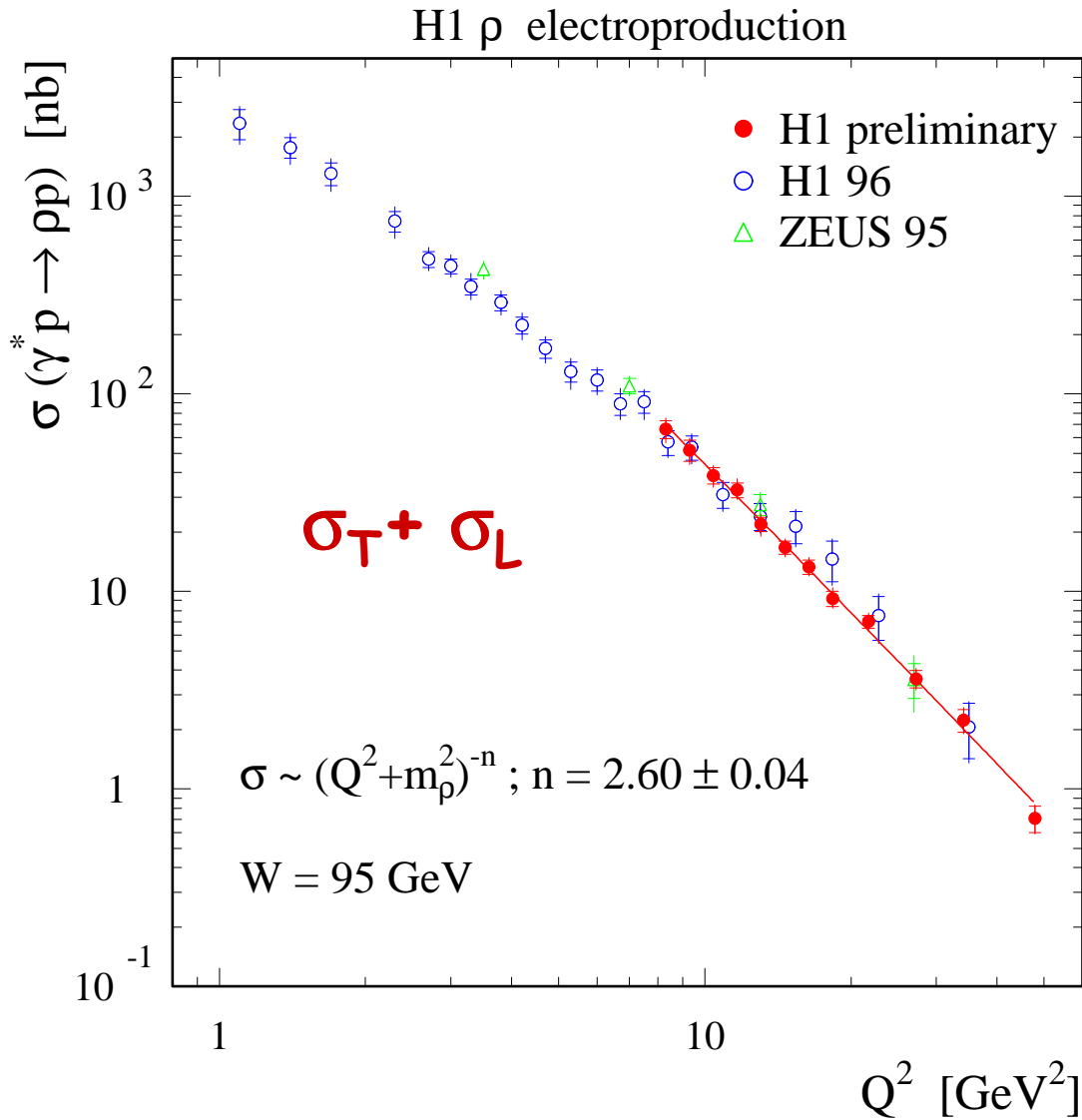
- SU(4) scaling works for ρ, ϕ, ω not for J/Ψ
- but W dependences similar

Vector Mesons

Paul Thompson

13

Q² Dependence of ρ⁰ Production



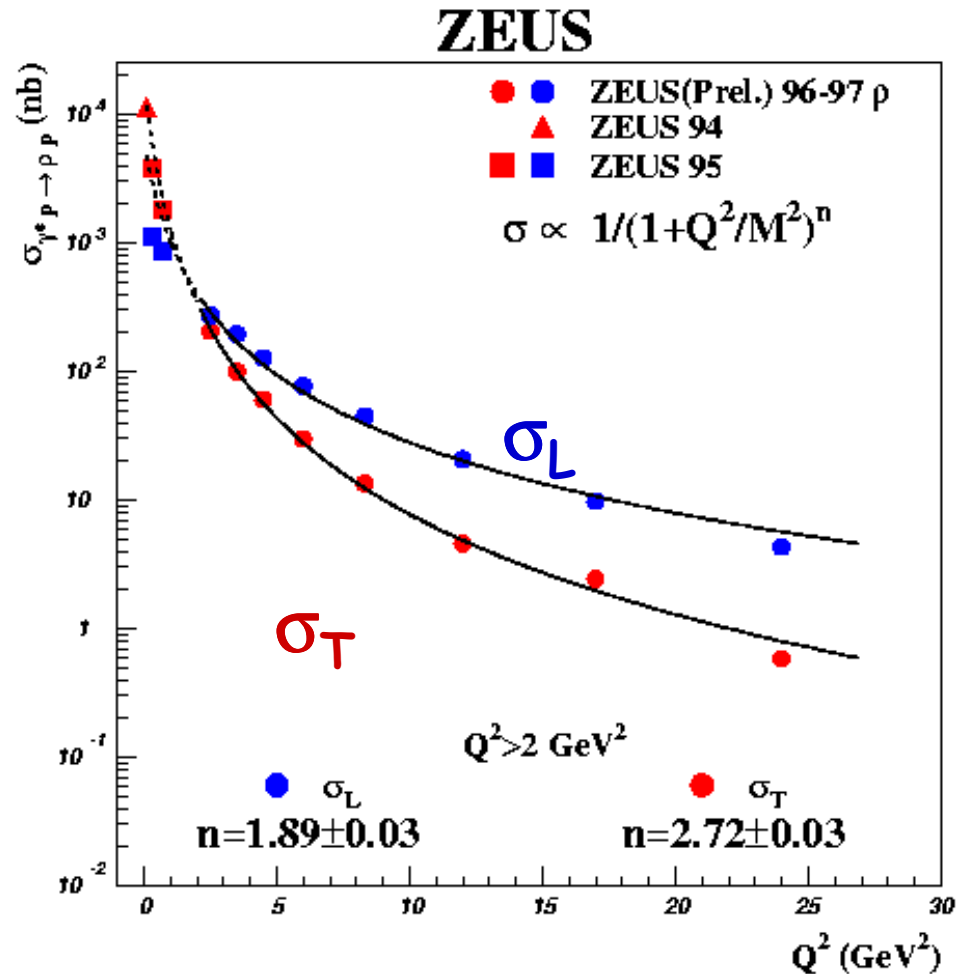
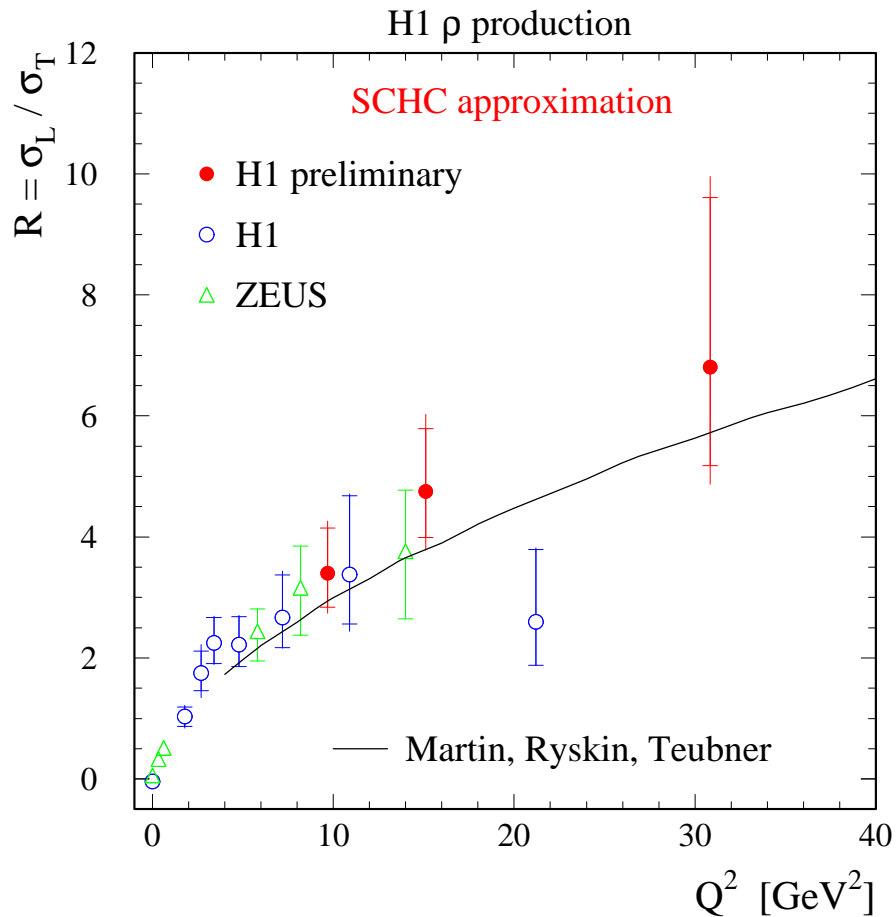
Fit:

$$\sigma(Q^2) \sim (Q^2 + M^2)^{-n}$$

$$\text{H1: } n = 2.6 \pm 0.04$$

- Parameterisation fails at lower Q^2
- VM wave function effects?

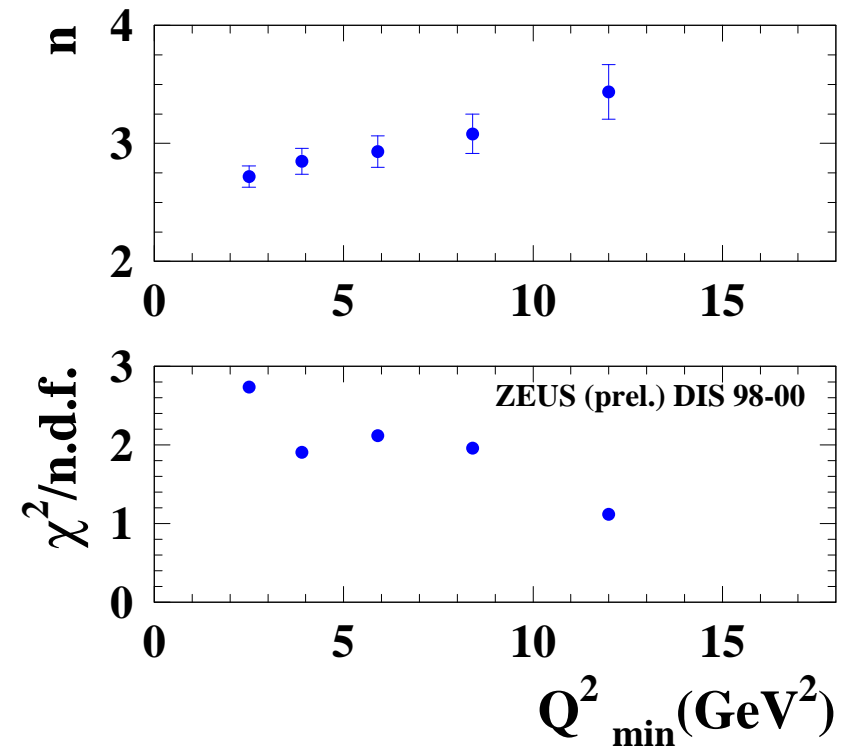
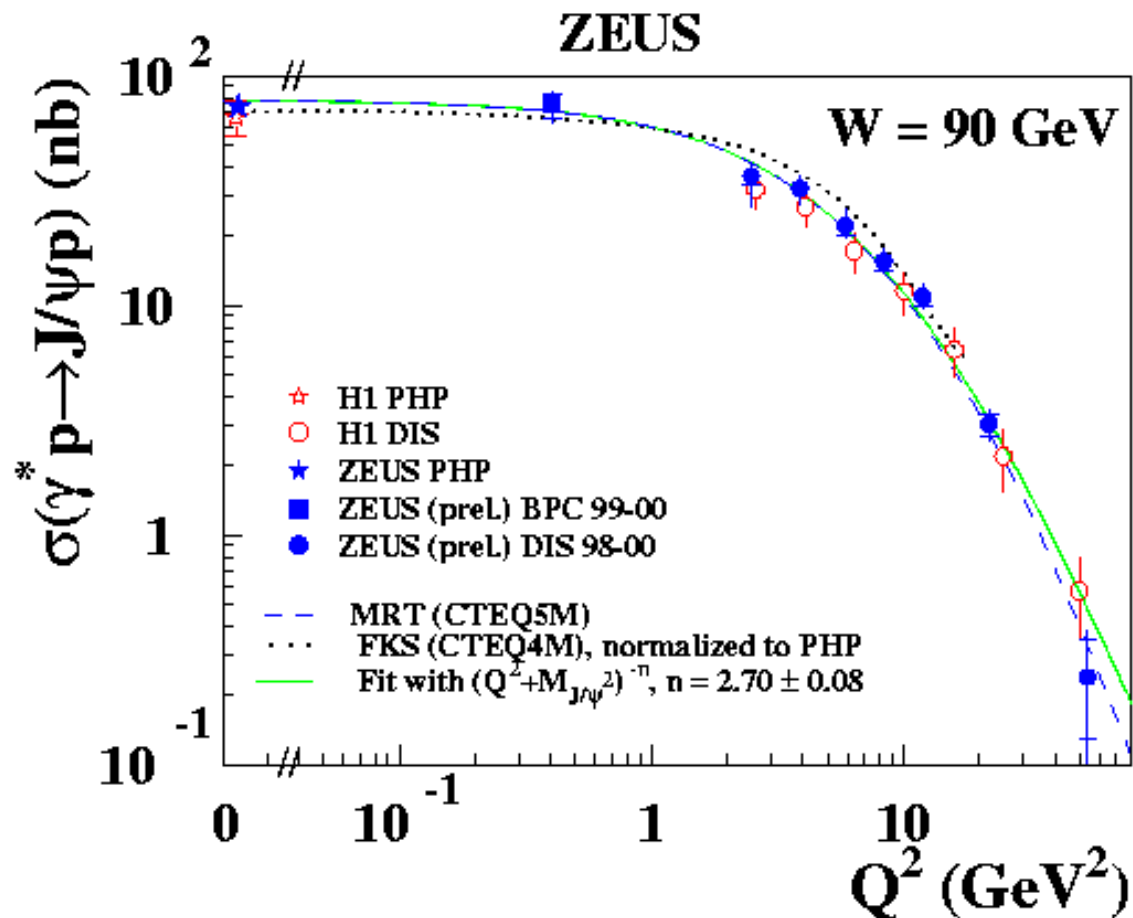
Measurement of $R = \sigma_L / \sigma_T$ vs Q^2 for ρ^0



pQCD: $\sigma_L \sim a_s^2 / Q^6 \cdot [xG]^2$

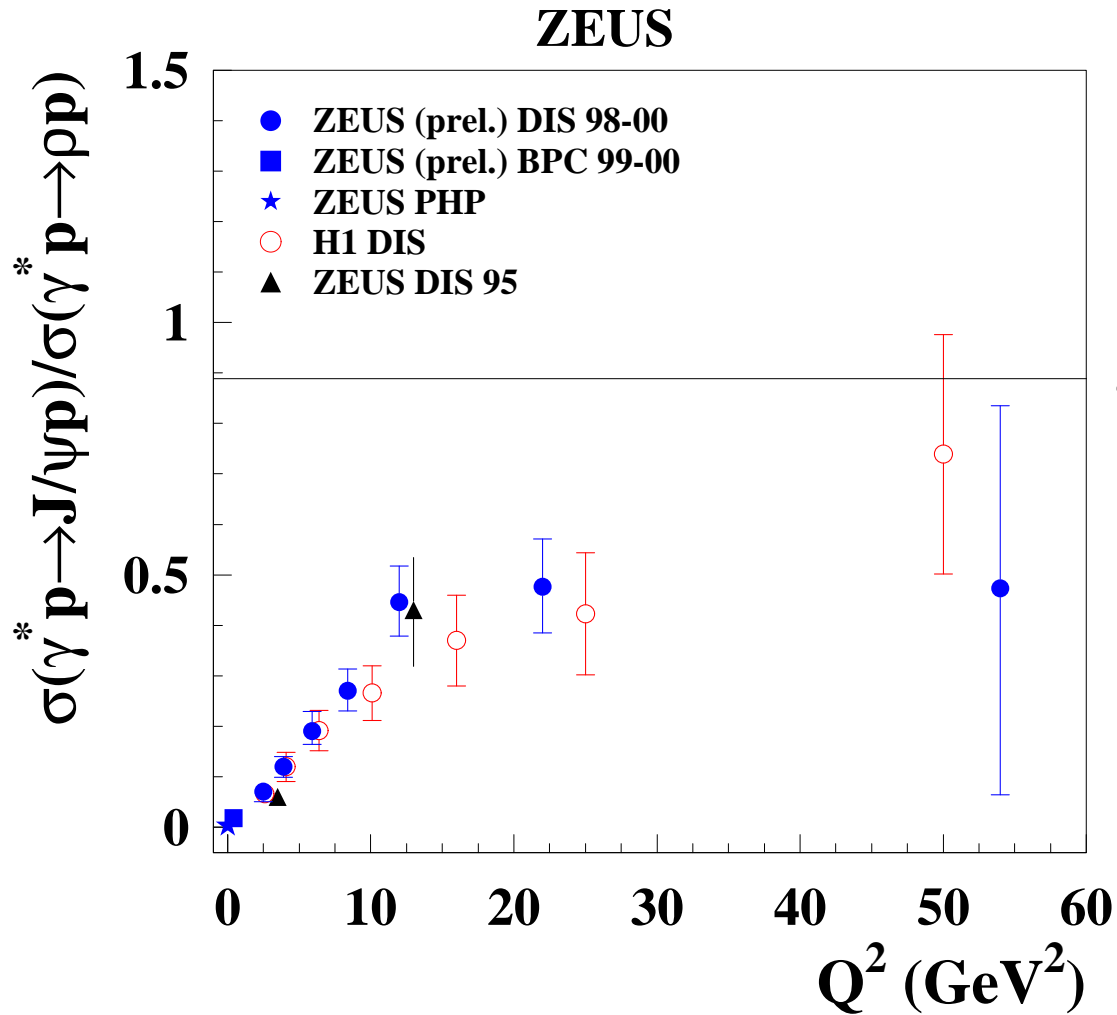
Gluon density expected to weaken $1/Q^6$ dependence

Q² Dependence of J/ψ Electroproduction



- Fit describes data, although χ^2 improves with increasing Q^2_{min}
- pQCD gives reasonable description

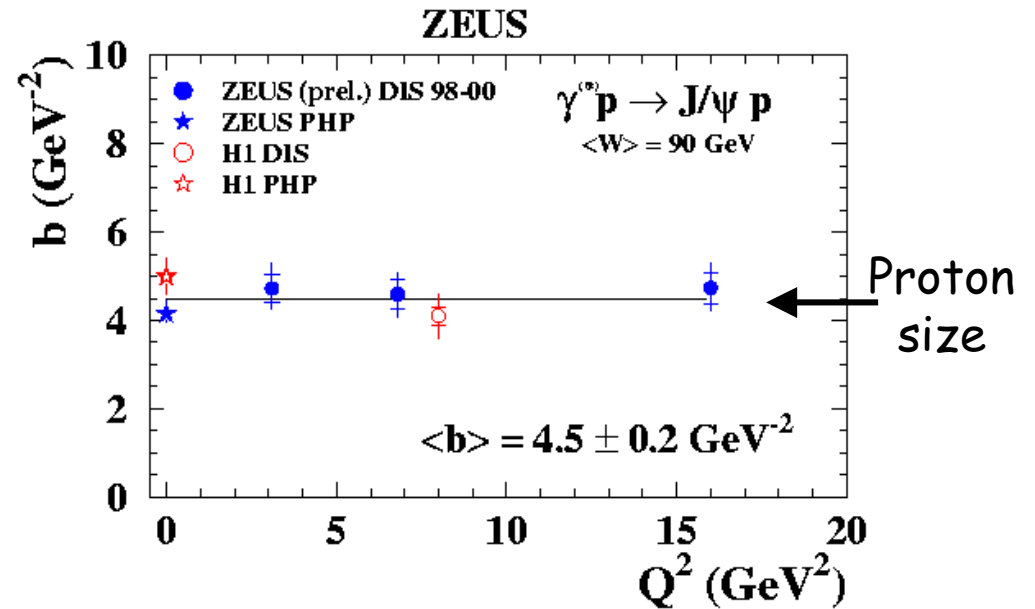
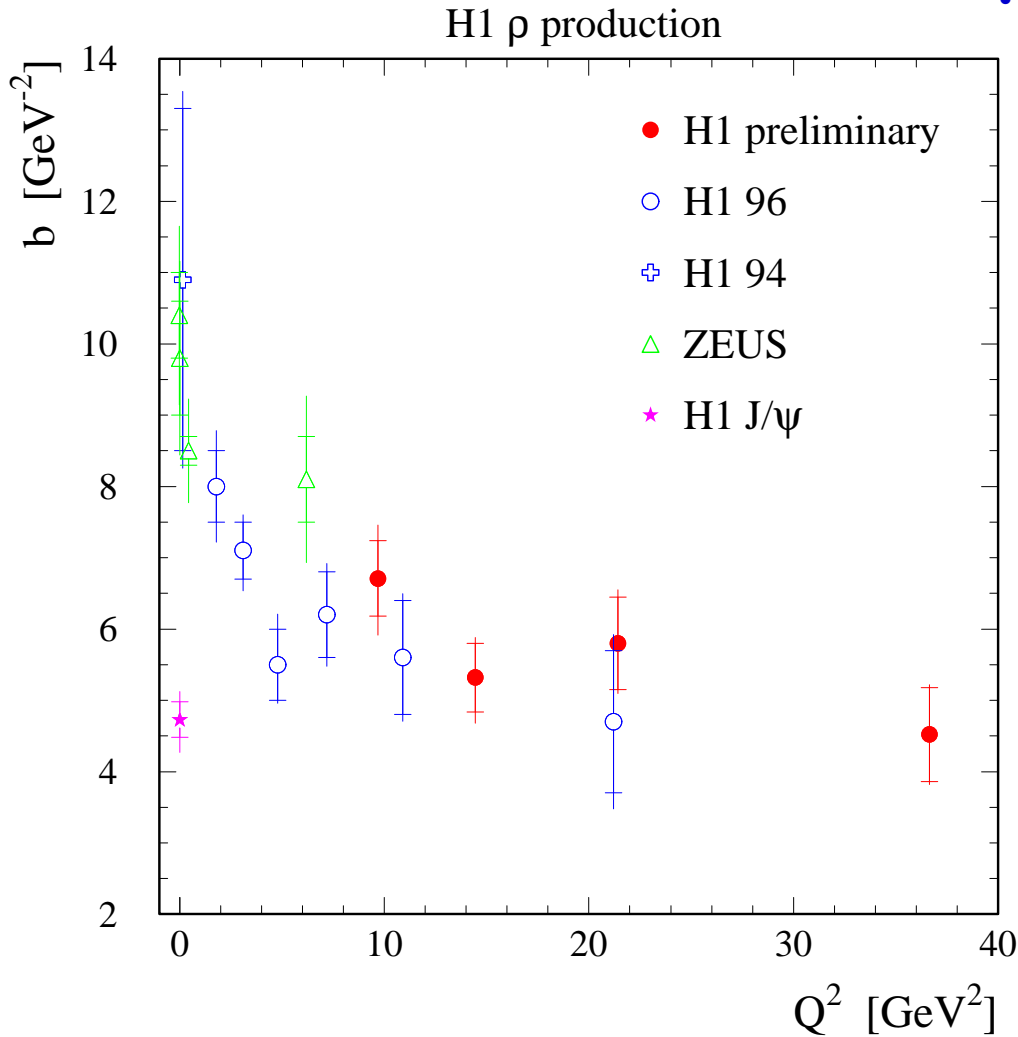
Ratio of J/Ψ and ρ^0 vs Q^2 - SU(4) scaling?



8/9

- Ratio increases with Q^2
- Approaching SU(4) value
- Far from enhancement (~ 3) due to mass predicted by pQCD

$b(Q^2)$ in elastic electroproduction for ρ^0 and J/Ψ



Size of ρ^0 shrinks with Q^2
 while J/Ψ is already point-like
 at $Q^2 \sim 0$

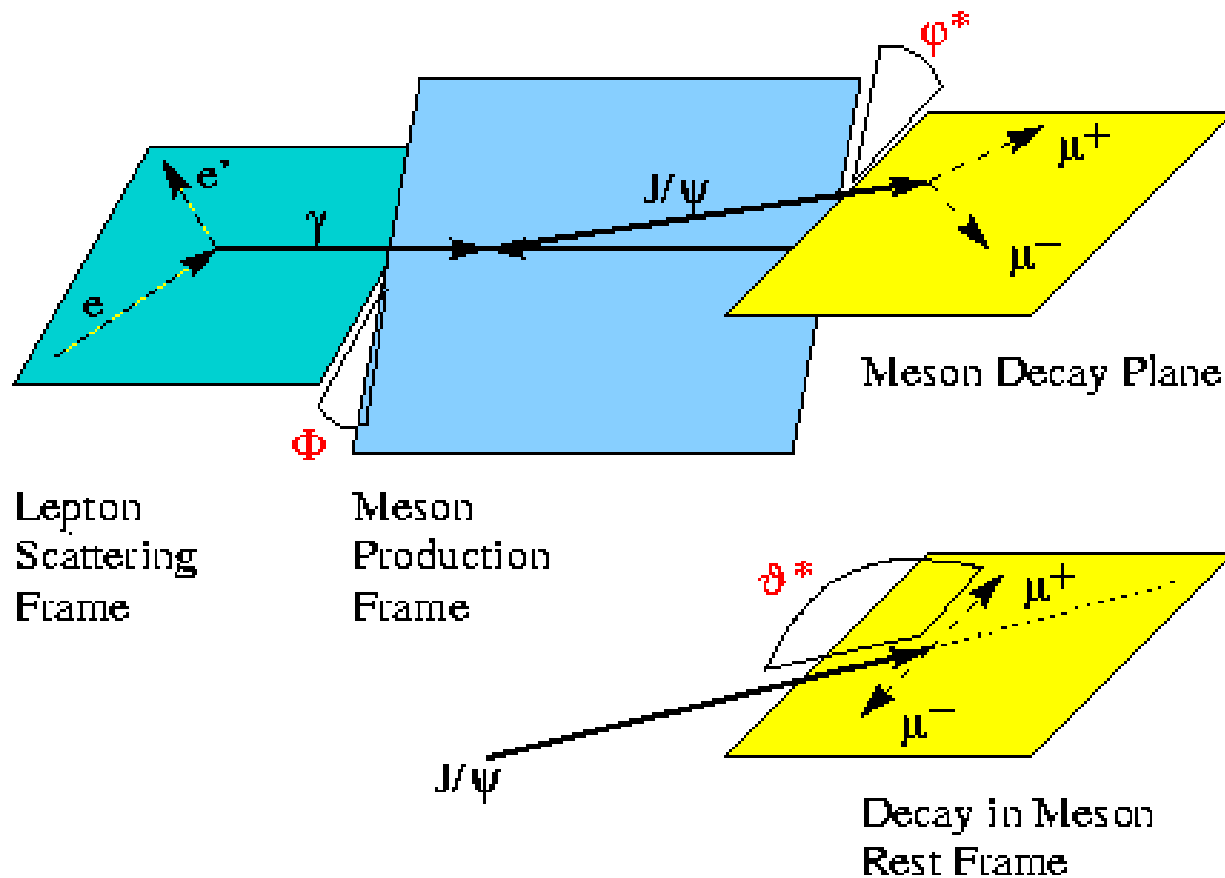
t -slope is the fourier
 transform of the spatial
 extension of the VM

" $b = b_p + b_{VM}$ "

"universal" t dependence if
 Q^2 or M^2 is large?

Helicity

Information about polarisation of VM obtained in helicity frame

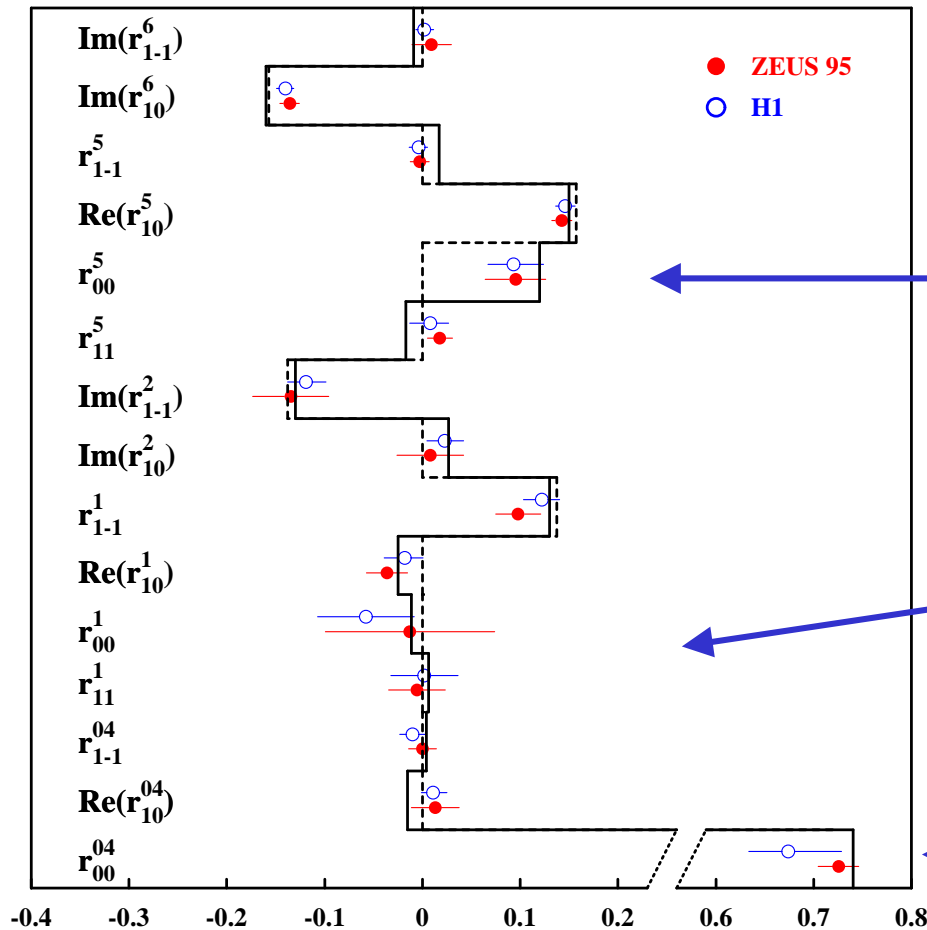


Angles Φ, ϕ, ϑ sensitive to products of helicity amplitudes:

$$T_{\lambda_{VM}\lambda_{\gamma}}$$

s-channel helicity conversation (SCHC) - helicity of photon transferred to VM.

What have we learned so far?



Results for ρ, ϕ electroproduction

Small violation of SCHC
 r_{00}^5 indicating dominant
 single flip amplitude is T_{01}

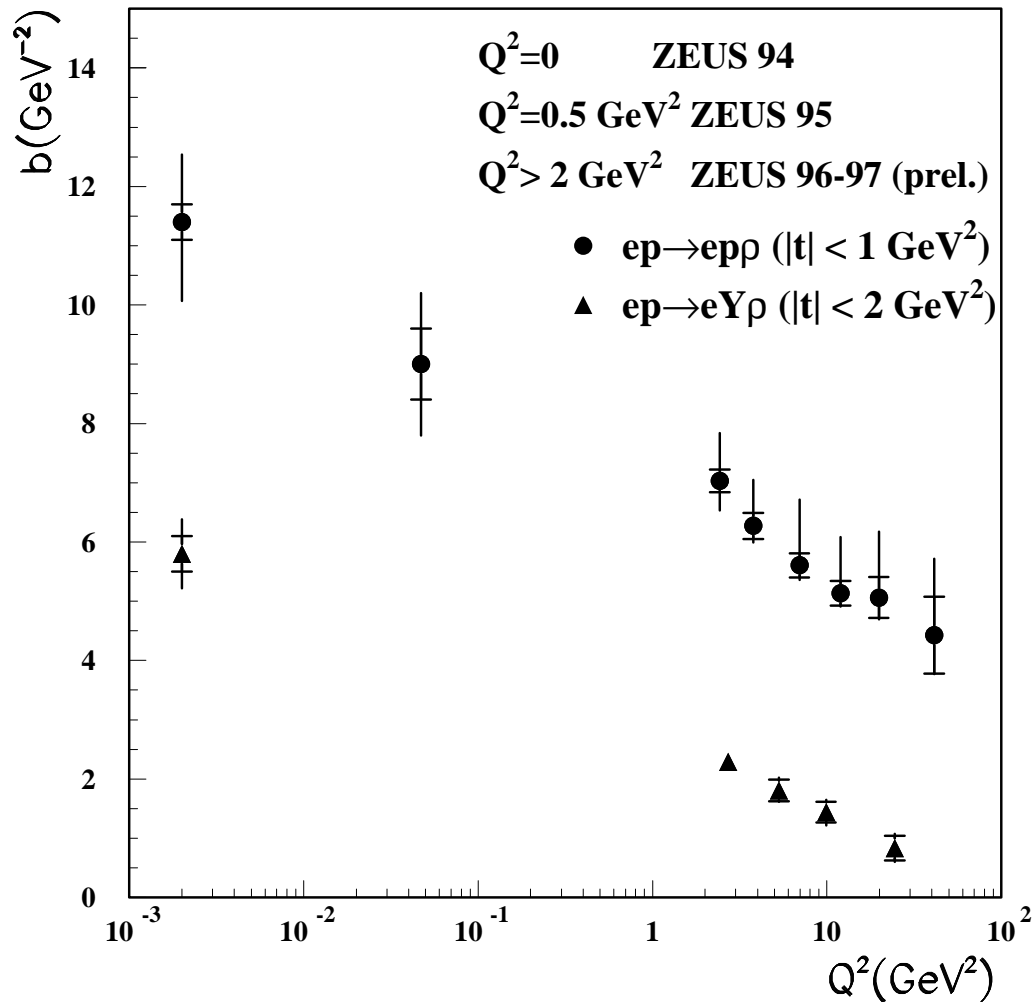
SCHC compatible for
 matrix elements describing
 single(T_{10}) or double
 helicity flip (T_{1-1})

Dominance of T_{00} over T_{11}
 for non-flip amplitude

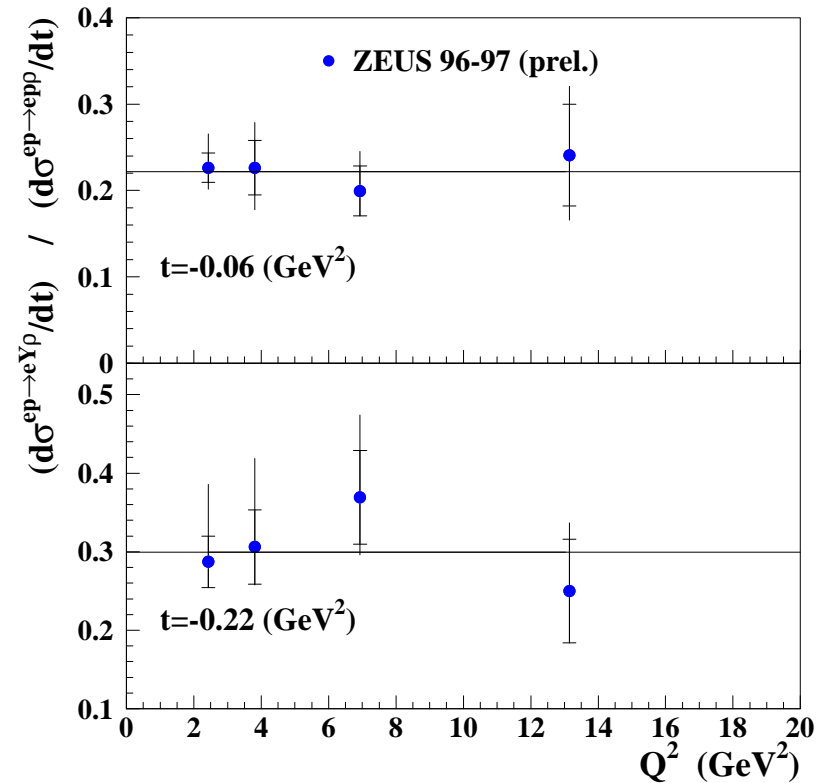
- Described by pQCD (Ivanov and Kirschner) based on $2g$ exchange
- SCHC violation requires longitudinal momentum of photon to be shared **asymmetrically** by qq

Proton Dissociation ρ^0 Electroproduction (low- $|t|$)

ZEUS

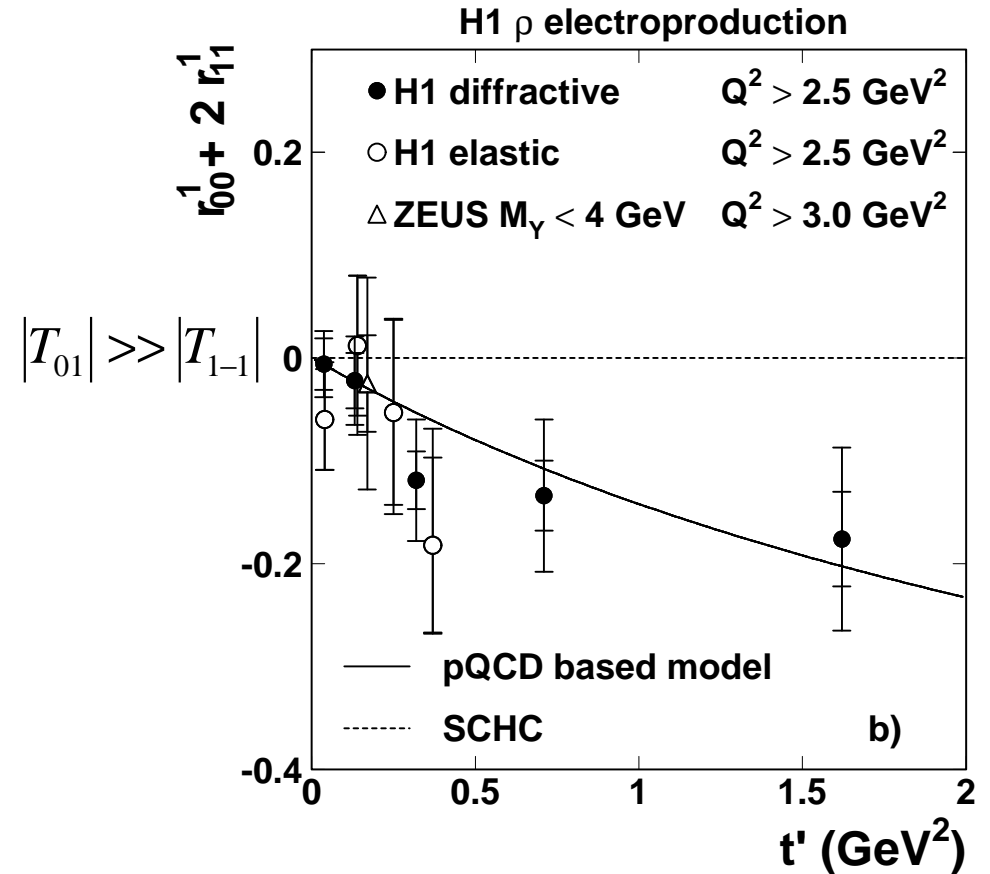
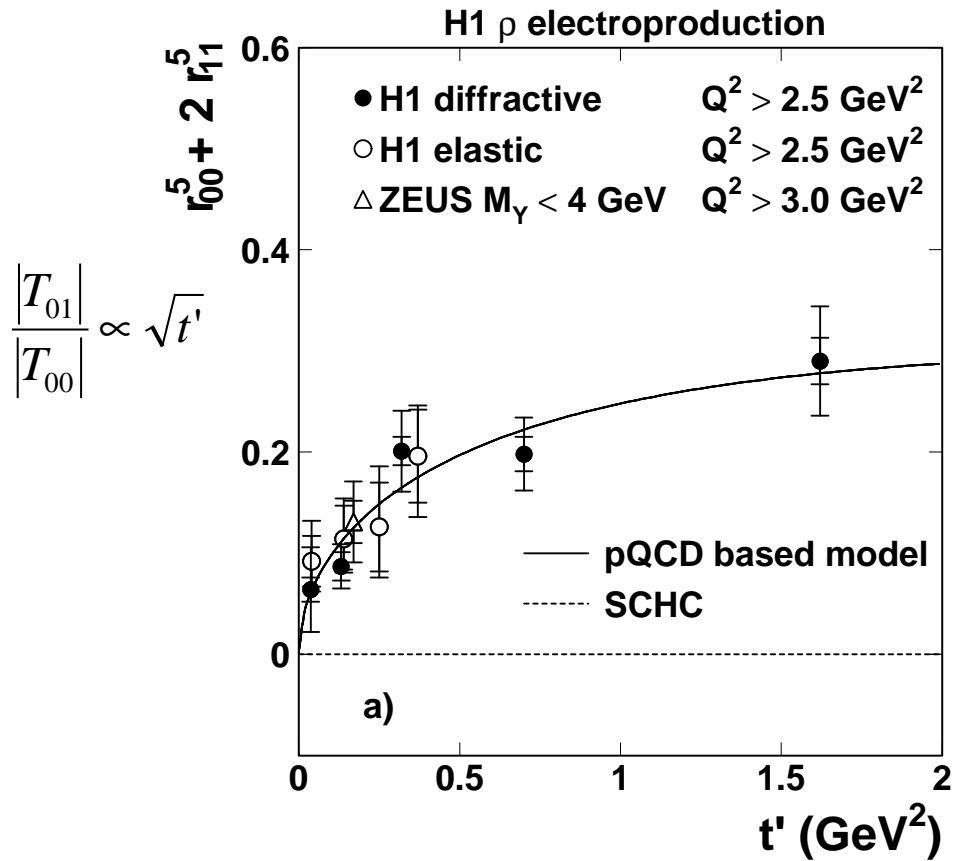


ZEUS



\Rightarrow Consistent with **vertex factorisation**
 i.e. probability for p-dissociation is independent of projectile

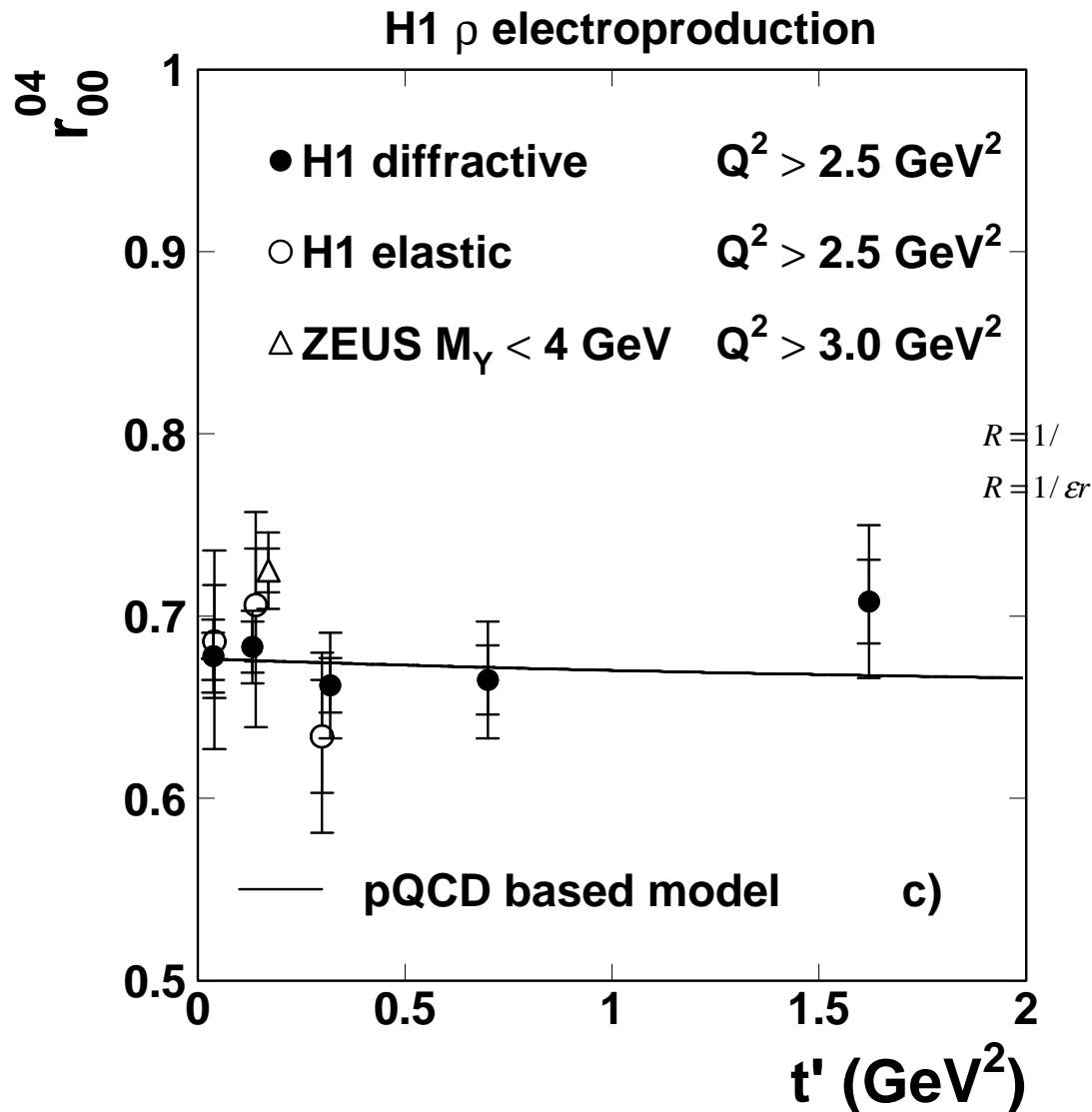
SCHC for ρ^0 proton dissociation



- SCHC-breaking observed for dissociation process
- described by pQCD based on $2g$ exchange where photon longitudinal momentum shared asymmetrically by qq

$$t' = |t| - |t|_{\min}$$

R for ρ^0 proton dissociation



- $R = 1/\epsilon r^{04}/(1-r^{04})$

- $r^{04} \sim (|T_{00}|^2 + |T_{11}|^2)$

- No dependence of r^{04} (R) on t

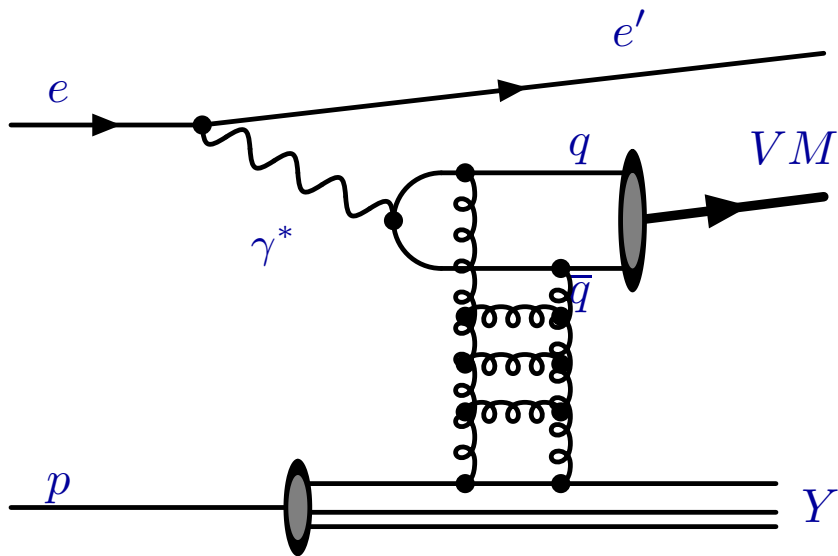
\Rightarrow b-slopes for σ_L and σ_T
 SCHC amplitudes are similar

- non-perturbative contributions to σ_T small?

\rightarrow described by pQCD
 based on $2g$ exchange

High- $|t|$ Vector Meson Production

- calculations for 'hard' BFKL pomeron Bartels, Forshaw et al.
- gluon ladder couples to a single parton within proton
- BFKL LLA: $W^{1.2}$ **steep rise** $\alpha'_{IP} < 0.1 \text{ GeV}^{-2}$ **little shrinkage**
- t -dependence $d\sigma/dt \sim |t|^{-n}$, $n \sim 3$ (n increases with t)

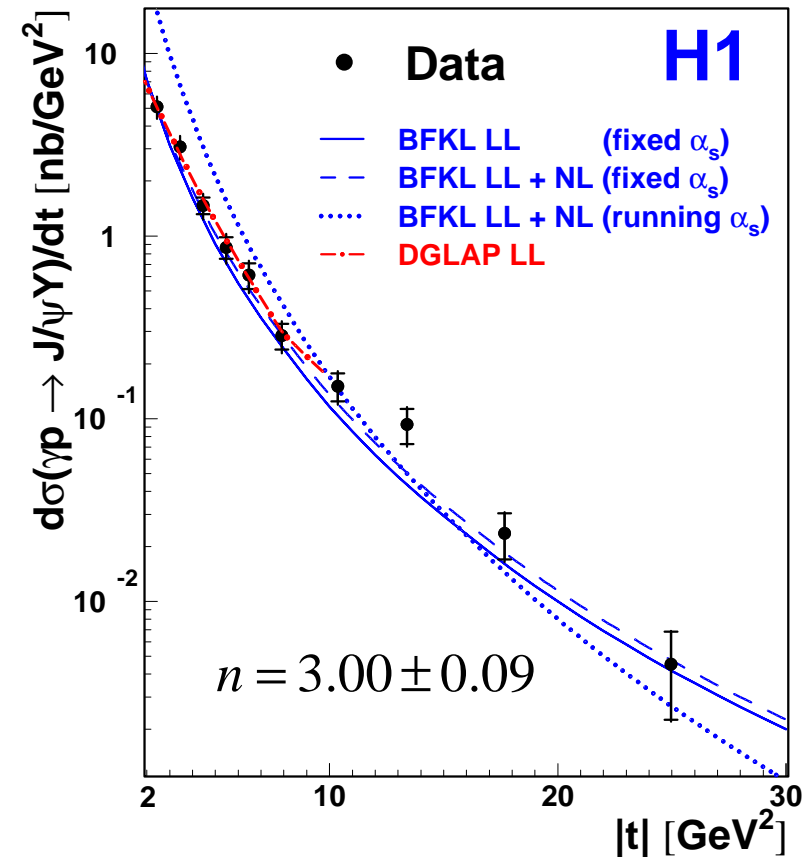
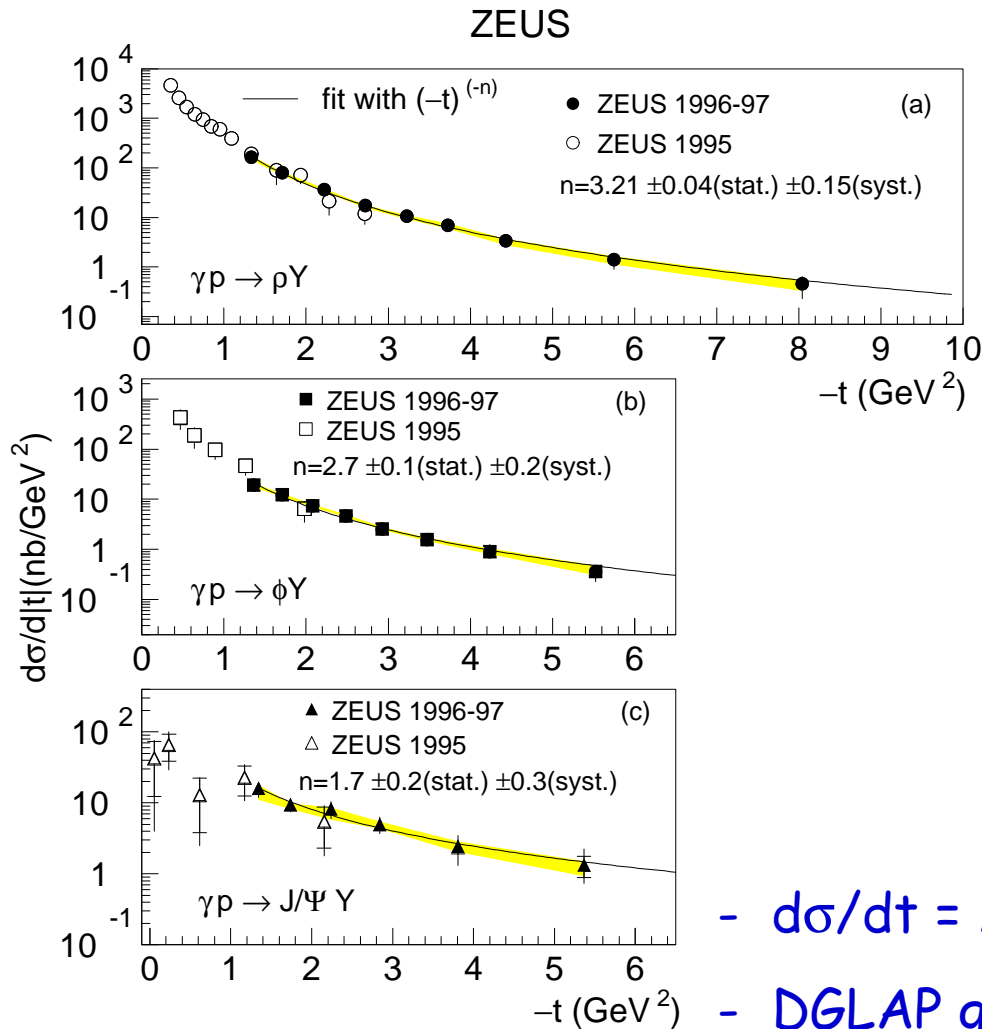


-In region $|t| < M^2$ DGLAP evolution possible through K_T ordering in ladder Gotsman, Maor et al.

- $|t| \gg M^2$, no phase space for DGLAP evolution. Unordered K_T from BFKL evolution

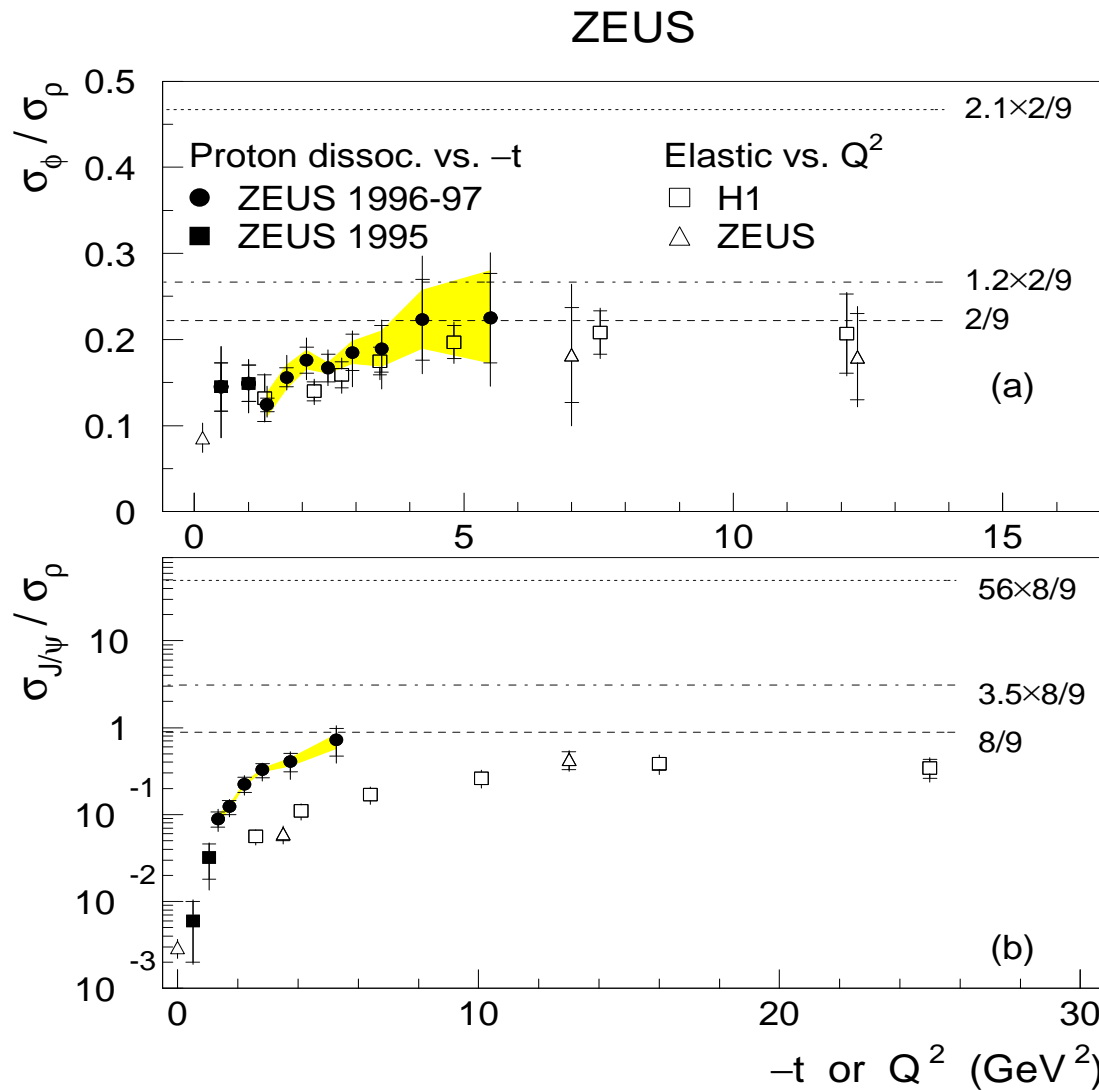
Do we approach the BFKL region at HERA?

Proton-dissociation in $\gamma p.$ at high $|t|$



- $d\sigma/dt = A t^{-n}$ good fit (n increases with $|t|_{\min}$)
- DGLAP good description (valid for $|t| < M^2$)
- BFKL describes data only with fixed α_s (why?)

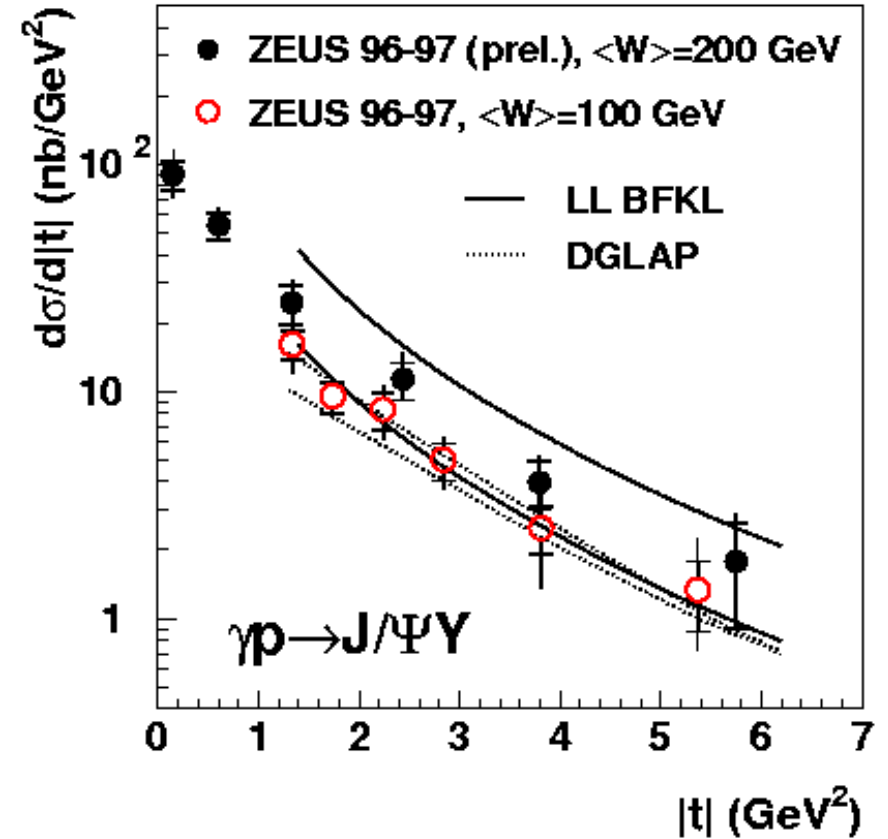
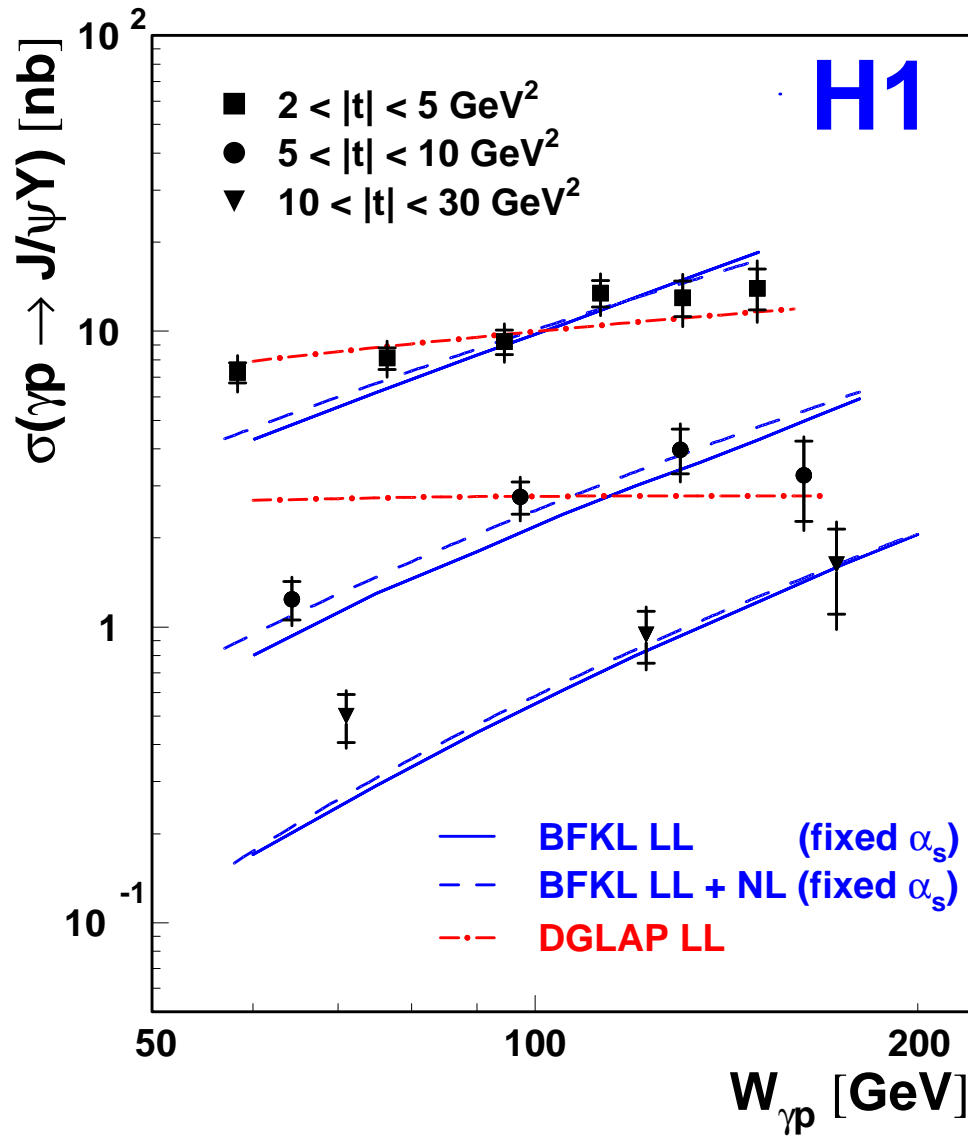
VMs at High t : σ_V/σ_p and $SU(4)$



Indication of
flavor
independence of
VM production
at high $|t|$?

High $|t|$ J/Ψ : W -dependence

ZEUS



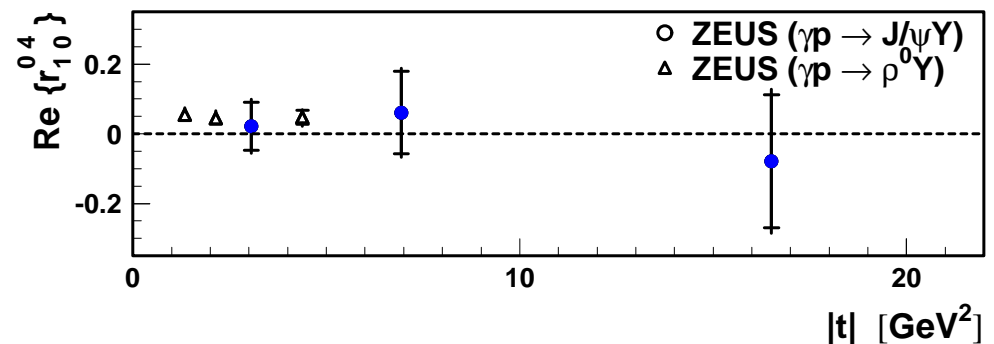
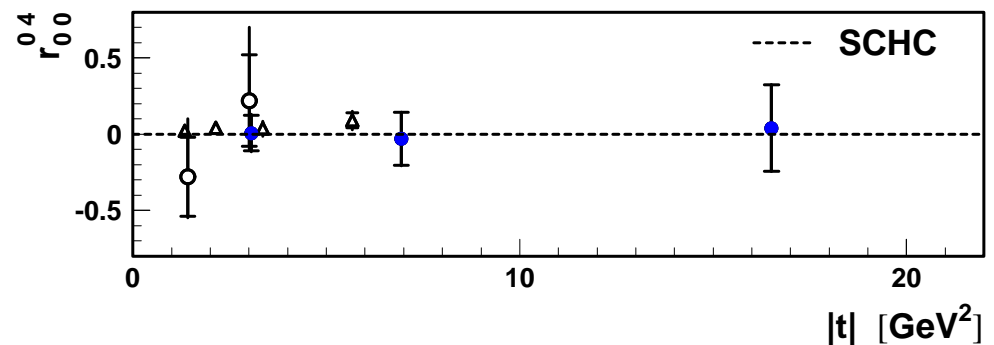
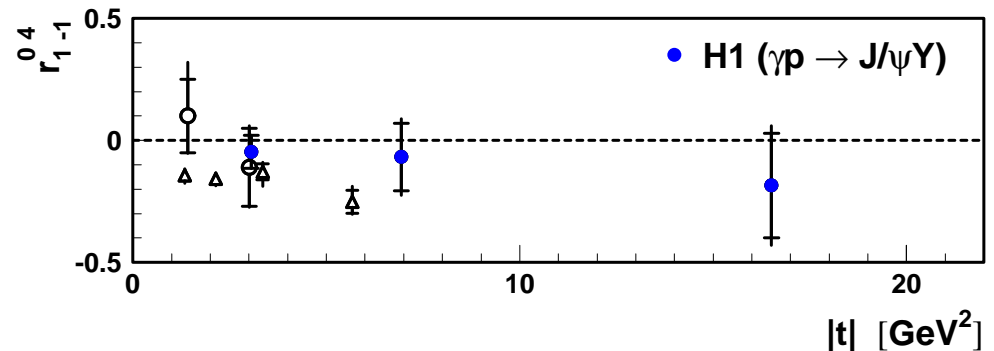
- W -dependence doesn't change with t
- LL BFKL predicts stronger rise with W
- DGLAP W rise flattens with t

SCHC at high $|t|$ in γp proton dissociation

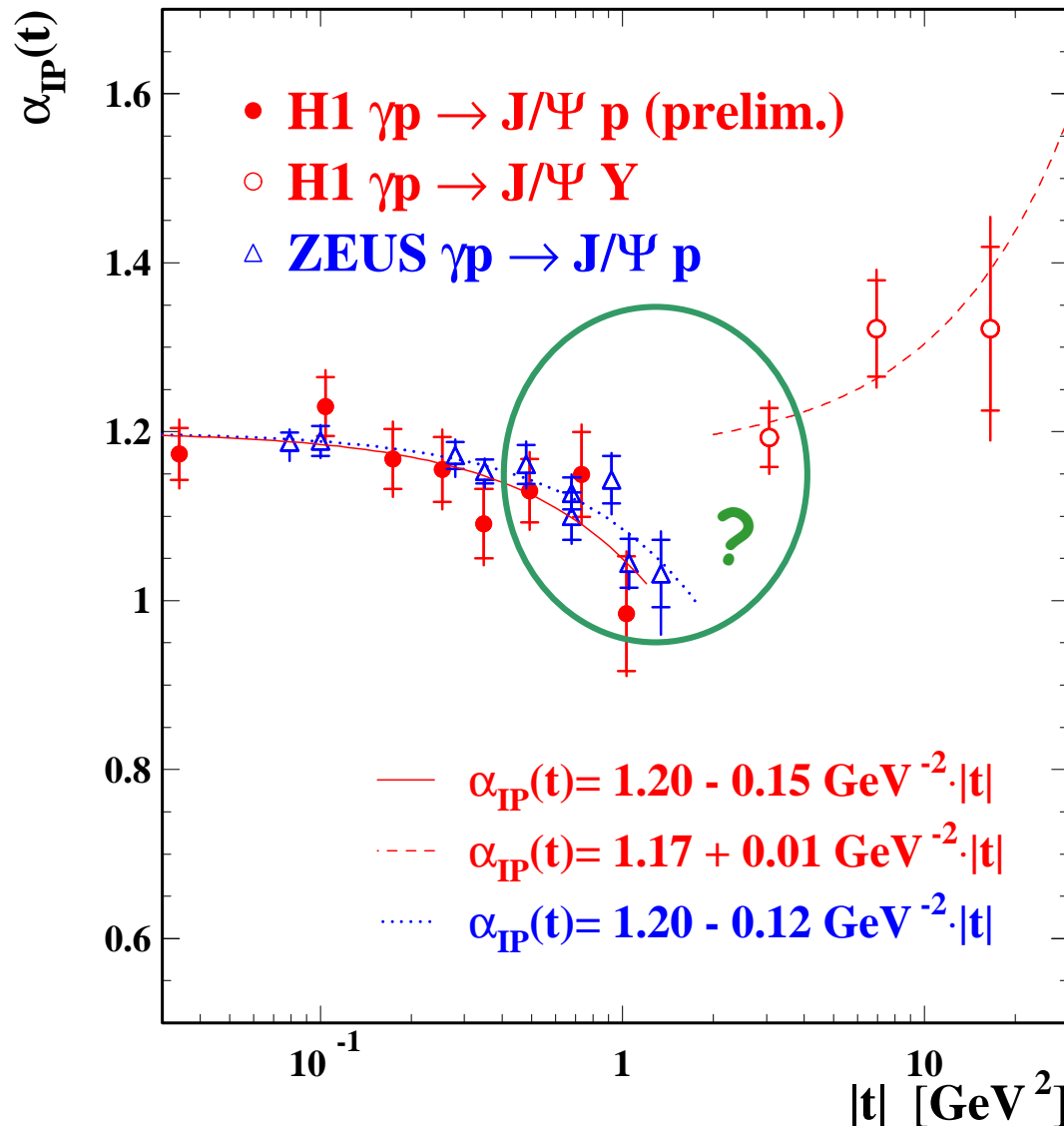
- ρ^0 shows small SCHC breaking - due to asymmetric sharing of γ momentum by qq

- J/Ψ consistent with SCHC within stats. for all t

Non-relativistic approximation for J/Ψ wave function $z=1/2, r=0$ satisfactory for present data



Pomeron trajectory Dependence on $|t|$



J/ Ψ elastic:
moderate shrinkage

J/ Ψ p-dissociation:
shrinkage consistent
with zero.

Different "Pomeron" for
p-diss and elastic?

Is this the BFKL
Pomeron?

Summary

- ❑ Diffractive VM production at HERA allows to study the dynamics of vacuum-exchange processes
- ❑ Transition from soft to hard behaviour observed in Q^2 and/or M^2
- ❑ Analysis of helicity structure allows detailed investigations of scaling and VM structure
- ❑ VM production at high $|t|$ shows hard behaviour in t and W dependence (BFKL?)

QCD has had many successes but

Recent results raise difficult questions

HERA II will continue to do so

Looking forward to the challenge!